GaLactic and Extragalactic All-sky Murchison Widefield Array (GLEAM) survey I: A low-frequency extragalactic catalogue

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ABSTRACT

Using the Murchison Widefield Array (MWA), the low-frequency Square Kilometre Array (SKA1 LOW) precursor located in Western Australia, we have completed the GaLactic and Extragalactic All-sky MWA (GLEAM) survey, and present the resulting extragalactic catalogue, utilising the first year of observations. The catalogue covers 24,402 square degrees, over declinations south of +30° and Galactic latitudes outside 10° of the Galactic plane, excluding some areas such as the Magellanic Clouds. It contains 307,456 radio sources with 20 separate flux density measurements across 72-231 MHz, selected from a time- and frequency- integrated image centred at 200 MHz, with a resolution of $\approx 2'$. Over the catalogued region, we estimate that the catalogue is 90% complete at 170 mJy, and 50% complete at 55 mJy, and large areas are complete at even lower flux density levels. Its reliability is 99.97% above the detection threshold of 5σ , which itself is typically 50 mJy. These observations constitute the widest fractional bandwidth and largest sky area survey at radio frequencies to date, and calibrate the low frequency flux density scale of the southern sky to better than 10%. This paper presents details of the flagging, imaging, mosaicking, and source extraction/characterisation, as well as estimates of the completeness and reliability. All source measurements and images are available online*. This is the first in a series of publications describing the GLEAM survey results.

1 INTRODUCTION

Low-frequency (50-350 MHz) radio sky surveys are now at the forefront of modern radio astronomy, as part of preparation for the Square Kilometre Array (Dewdney et al. 2015). Surveys are currently being performed by a range of established telescopes, such as the Giant Metrewave Radio Telescope (GMRT; Swarup et al. 1991) and the Karl G. Jansky Very Large Array (VLA; Perley et al. 2011). The last decade has also seen the construction of new radio telescopes, the primary science driver of which is measuring the emission from high-redshift neutral hydrogen during the Epoch of Reionisation (EoR), predicted to lie between 50 and 200 MHz (e.g. Furlanetto, Oh & Briggs 2006; Morales & Wyithe 2010). These instruments include the Low Frequency Array (LOFAR; van Haarlem et al. 2013), the Precision Array for Probing the Epoch of Reionization (PAPER; Parsons et al. 2010), the Long Wavelength Array (LWA; Ellingson et al. 2013), and the Murchison Widefield Array (MWA; Lonsdale et al. 2009; Tingay et al. 2013).

Recent low-frequency surveys using these established and new telescopes include: the VLA Low-frequency Sky Survey Redux at 74 MHz (VLSSr; Lane et al. 2014), the Multi-Snapshot Sky Survey at 120–180 MHz (MSSS; Heald et al. 2015), the Tata Institute for Fundamental Research GMRT Sky Survey at 150 MHz (TGSS; Intema et al. 2016), and the GaLactic Extragalactic All-sky MWA (GLEAM) survey at 72–231 MHz (Wayth et al. 2015). These build on the success of radio sky surveys released in the late 1990s: the NRAO VLA Sky Survey (NVSS; Condon et al. 1998) at 1.4 GHz, the Sydney University Molonglo Sky Survey at 843 MHz (SUMSS; Bock, Large & Sadler 1999; Mauch et al. 2003), and the Molonglo Reference Catalogue at 408 MHz (MRC; Large et al. 1981; Large, Cram & Burgess 1991).

The low observing frequencies of the new surveys increase the challenge of dealing with ionospheric distortion ($\propto v^{-2}$, where v is frequency) and high sky temperatures from diffuse Galactic synchrotron emission (« $v^{-2.7}$). Low frequencies also imply larger fields-of-view, making imaging more difficult, especially when combined with position-dependent ionospheric distortion. Additionally, new aperture arrays such as LOFAR and the MWA, consisting of large arrays of mutually coupled dipoles instead of traditional parabolic dishes, present demanding challenges to calibration and imaging, with complex frequency- and spatially-variant sensitivity patterns on the sky (the "primary beams"). The large number of antennas in these new arrays, coupled with wide fields-of-view, also gives rise to massive data volumes which are logistically and computationally challenging to handle, putting low-frequency radio astronomy on the cutting edge of Big Data problems in sci-

However, the scientific return is expected to be commensurately great; detecting the EoR would constrain the last remaining unknown period in standard cosmology; measuring the low-frequency spectra of radio galaxies will open windows into high-redshift and synchrotron-self-absorbed populations; detecting the remains of steep-spectrum ancient radio jets tells us about the life cycle of active galactic nuclei; and measuring the full spectral details of relics and haloes in galaxy clusters constrains the generation mechanisms for these sources. More details of the science enabled by wide-

band low-frequency observations, and specifically the MWA, can be found in Bowman et al. (2013).

Further, from the point of view of preparing for SKA1 LOW, the precursor and pathfinder projects currently underway are deeply informing the design process for the SKA. LOFAR, the MWA, and PAPER are all exploring different configuration architectures for large-scale low-frequency arrays, different calibration strategies, and different signal extraction strategies for EoR experiments. The MWA is plays key role in this respect, being located on the site of the eventual SKA1 LOW, and exercising technical and scientific aspects of low-frequency radio astronomy in an end-to-end manner in that environment.

GLEAM is the MWA's widefield continuum imaging survey, and has surveyed the sky south of declination +30° over a frequency range of 72–231 MHz. Much of the wisdom accumulated by the MWA team in addressing the challenges outlined above is expressed in the production of this survey. As such, the survey represents a significant step forward for a wide range of astrophysical applications and also represents substantial progress on the path to SKA1 LOW.

Here we present the first extragalactic radio source catalogue from the GLEAM survey, consisting of 307,456 sources over 24,402 square degrees: the entire southern sky excluding the Magellanic Clouds and Galactic latitudes within 10° of the Galactic Plane. A spectral resolution of 8 MHz enables multi-frequency studies of radio galaxies, active galactic nuclei, and galaxy clusters. A drift scan imaging strategy controls systematics and reduces the number of primary beams which need to be calibrated (Wayth et al. 2015). This paper describes the first release of survey data products and will be the first in a series of papers that will describe the GLEAM survey results over the next few years.

This paper is laid out as follows. Section 2 describes the observations, and the calibration and imaging strategy used in data reduction. Section 3 describes the flux density calibration procedures, including correcting for the MWA primary beam, and the estimated errors on the procedure; Section 4 describes the source-finding process, how both resolved and unresolved sources are characterised across the wide frequency bandwith, and the resulting sensitivity and completeness of the catalogue; Section 5 describes the properties of the source catalogue such as spectral index distribution and source counts; Section 6 contains a discussion and conclusion.

All position angles are measured from North through East (i.e. counter-clockwise). All equatorial co-ordinates are J2000. Several figures use the "cubehelix" colour scheme (Green 2011), as it is colour-blind friendly, and desaturates smoothly to greyscale. Right ascension is abbreviated as RA, and declination is abbreviated as Dec. The spectral index of a source, α , is given using the convention $S_{\nu} \propto \nu^{\alpha}$.

2 OBSERVATIONS AND DATA REDUCTION

2.1 Observations

As detailed by Tingay et al. (2013), the MWA consists of 128 32-dipole antenna "tiles" distributed over an area approximately 3 km in diameter. Each tile observes two instrumental polarisations, "X" (16 dipoles oriented East-West) and

Table 1. GLEAM first year observing parameters. $N_{\rm flag}$ is the number of flagged tiles out of the 128 available. The calibrator is used to find initial bandpass and phase corrections as described in Section 2.

Date	RA range (h)	Dec (°)	$N_{ m flag}$	Calibrator
2013-08-09	19.5–3.5	-55	10	3C444
2013-08-10	19.5 - 3.5	-27	4	3C444
2013-08-18	19.5 - 3.5	-72	7	Pictor A
2013-08-22	19.5 - 3.5	-13	3	3C444
2013-08-25	19.5-3.5	-40	5	3C444
2013-11-05	0–8	-13	4	$\operatorname{Hydra} A$
2013-11-06	0-8	-40	4	Hydra A
2013-11-07	0–8	+2	4	$\operatorname{Hydra} A$
2013-11-08	0-8	-55	4	Hydra A
2013-11-11	0-8	+19	4	Hydra A
2013-11-12	0-8	-72	4	Hydra A
2013-11-25	0-8	-27	4	Hydra A
2014-03-03	6-16	-27	4	Hydra A
2014-03-04	6-16	-13	4	Hydra A
2014-03-06	6-16	+2	4	Hydra A
2014-03-08	6-16	+19	4	Hydra A
2014-03-09	6-16	-72	4	Virgo A
2014-03-16	6-16	-40	4	Virgo A
2014-03-17	6-16	-55	4	Hydra A
2014-06-09	12-22	-27	8	3C444
2014-06-10	12-22	-40	8	3C444
2014-06-11	12-22	+2	8	Hercules A
2014-06-12	12 - 18.5	-55	8	3C444
2014-06-13	12-19	-13	8	Centaurus A
2014-06-14	12-22	-72	9	Hercules A
2014-06-15	12-22	+18	13	Virgo A
2014-06-16	18.5 - 22	-13	8	3C444
2014-06-18	18.5 - 22	-55	8	3C444

"Y" (16 dipoles oriented North-South), the pointing of which is controlled by per-tile analogue beam formers. The signals from the tiles are initially processed by 16 in-field receiver units, each of which services eight tiles.

As described in Wayth et al. (2015), GLEAM observes in week-long drift scan campaigns, with a single Dec strip observed each night. The observing bandwidth of 72–231 MHz is covered by shifting frequencies by 30.72 MHz every two minutes, avoiding the Orbcomm satellite constellation at 134–139 MHz. Thus, the frequencies of observation are 72–103 MHz, 103–134 MHz, 139–170 MHz, 170–200 MHz, and 200–231 MHz. These may be further subdivided for imaging purposes; in this paper, the 30.72 MHz bandwidth is commonly subdivided into four 7.68 MHz sub-channels. The native channel resolution of these observation is 40 kHz and the native time resolution is 0.5 s.

This paper concerns only data collected in the first year, i.e. four weeks between June 2013 and July 2014. We also do not image every observation, since the survey is redundant across approximately 50% of the observed RA ranges, and some parts are adversely affected by the Galactic plane and Centaurus A. Table 1 lists the observations which have been used to create this first GLEAM catalogue.

2.2 Flagging and averaging

The raw visibility data are processed using COTTER (Offringa et al. 2015), which performs flagging using

the AOFLAGGER algorithm (Offringa, van de Gronde & Roerdink 2012) and averages the visibilities to a time resolution of 4s and a frequency resolution of 40 kHz, giving a decorrelation factor of less than a percent at the horizon. Approximately 10 % of the 40 kHz channels are flagged due to aliasing within the polyphase filterbank. Typical flagging percentages correspond well to those found by Offringa et al. (2015): 2–3% in the frequency-modulated (FM: 80–100 MHz) and digital TV (DTV: 190-220 MHz) bands and 1.5% elsewhere. In just $\approx 0.5\%$ of observations in the FM and DTV bands, high-intensity radio frequency interference (RFI) renders the entire 30.72 MHz observation unuseable; these data are simply discarded, as the highly redundant observing strategy ensures relatively even sky coverage regardless.

2.3 Calibration

Snapshot calibration proceeds in three stages: an initial transfer of complex antenna-based gain solutions derived from a bright, well-modelled calibrator, a self-calibration loop, and a flux scale and astrometry correction to the resulting images. The MRC is extremely useful for calibrating both the flux density scale and astrometry of GLEAM. At 408 MHz, the MRC is reasonably close to the GLEAM frequency range, usefully placed between VLSSr and NVSS in the Northern sky. It covers most of the GLEAM survey area, over -85° < Dec < $+18^{\circ}$ 5, and contains 12,141 discrete sources with $S > 0.7 \,\mathrm{Jy}, 92\%$ of which are isolated and point-like (MFLAG = 0), at a resolution of 2.62 by 2.86 sec(Dec + 35.5). We make use of this catalogue frequently during calibration, and when we set the final flux scale of the catalogue (Section 3).

2.3.1 Initial calibration

Electrical delays have been applied to the instrument such that less than 180° of phase rotation is evident over the observing bandwidth of 30.72 MHz. Given that GLEAM mostly consists of sky previously unobserved at these frequencies and angular scales, a typical observation cannot be immediately self-calibrated using an existing model of the field. We thus perform an initial calibration in a similar manner to Hurley-Walker et al. (2014): for each of the five frequency bands, we observe a specific bright calibrator source (Table 2), and Fourier-Transform a model of the source derived from other low-frequency measurements, scaled by a model of the primary beam (Sutinjo et al. 2015) to create a model set of visibilities. Per-40kHz-channel, perpolarisation, per-antenna complex gains are created using a least-squares fit of the data to the model via the Common Astronomy Software Applications (CASA¹) task BANDPASS. In typical extra-Galactic sky, baselines shorter than 60 m are not used to perform calibration, due to contamination from expected large-scale Galactic emission. The calculated antenna amplitude and phase solutions are then applied to the entire night of drift scan data.

¹ http://casa.nrao.edu/

4 Hurley-Walker et al.

Table 2 shows the calibrators used for each drift scan, including their approximate 200-MHz flux densities and spectral indices. The aim of this initial calibration is to bring the flux scale to within $\approx 20\,\%$ of the literature values for typical sources, and the phases to within $\approx 5^{\circ}$ of their correct values. This allows the creation of an initial sky model from each observation, in order to begin a self-calibration loop.

2.3.2 Peeling

As the MWA dipoles are arranged in a regular grid in every tile, and the field-of-view is wide, sources also appear in primary beam grating sidelobes with sensitivity levels of order 10% of the main beam response. These sidelobes lie 45-90° from the main lobe: imaging them for every observation would be prohibitively expensive. Typically, the sidelobes observe only "faint" extra-Galactic sky, but occasionally a bright (> 100 Jy) source may cause significant signal in the visibilities. In these cases, further processing is made considerably easier by first "peeling" such a source from the visibilities. An automatic script reads a list of bright sources' positions and flux densities and multiplies it by a model of the primary beam for that observation. Whenever a source is expected to be more than 50 Jy in apparent flux density, it is peeled from the visibilities. Sources fainter than this do not upset the self-calibration loop.

In a similar fashion to the initial calibration step (Section 2.3.1), a model of the source is multiplied by the model of the primary beam, and Fourier-Transformed into visibility space. A self-calibration is performed (in both amplitude and phase), the gains applied to these model visibilities and then the source is subtracted from the main visibility dataset. We do not apply the derived gains to the main visibility dataset, because the primary beam grating lobes have steep spectral behaviour, which would cause an unusual amplitude gain factor; the sky covered by the sidelobes also experiences different ionospheric conditions to the main lobe, so applying these gains would cause a phase distortion in the main lobe. Table 2 shows the sources peeled from the GLEAM data.

2.3.3 Imaging and self-calibration

The widefield imager WSCLEAN (Offringa et al. 2014) is used for all imaging, as it deals with the wide-field w-term effects using w-stacking, can produce a useful projection for our data, and performs deep imaging in a reasonable time (≈ 3 hours per 2-minute observation) in a multi-threaded fashion, suitable for use on supercomputers. All imaging is performed on a per-observation basis, forming 2-minute "snapshots" of the sky.

Throughout the imaging process, we image the primary beam down to the 10% level, corresponding to squares of 4000 pixels on each side. Pixel scales are chosen such that the width at half its maximum value (full-width half-maximum; FWHM) of the synthesised beam is always sampled by at least four pixels. For example, at the lowest frequency of 72 MHz, the pixel size is 57.73×57.73 , and the imaged field-of-view is 63.8×63.8 ; for the highest frequency of 231 MHz,

the pixel size is $23.''4 \times 23.''4$ and the imaged field-of-view is $26^{\circ}.0 \times 26^{\circ}.0$.

We use an optimum (u,v)-weighting scheme for imaging compact objects with the MWA: the "Briggs" scheme, using a "robust" parameter of -1.0 (close to uniform weighting) (Briggs 1995). All linear instrumental polarisations are imaged, and during the CLEAN process, peaks are detected in the summed combination of the polarisations, but components are refitted to each polarisation once a peak location is selected. The projection used is a SIN projection centred on the minimum-w pointing, i.e. hour angle = 0, Dec -26.7° . The restoring beam is a 2-D Gaussian fit to the central part of the dirty beam, and remains very similar in shape (within 10%) for each frequency band of the entire survey, which will be important later for mosaicking (Section 2.5).

Using CHGCENTRE, part of the WSCLEAN package, the peeled visibilities are phase-rotated to the minimum w-term direction, within 1° of zenith. This optimises the speed and memory use of the w-stacking algorithm (Offringa et al. 2014). The observation is imaged across the entire 30 MHz bandwidth using multi-frequency synthesis, in instrumental polarisations (XX, XY, YX, YY), down to the first negative clean component, without any major cycles. Given the noise-reducing effects of the initial calibration and peeling steps described above, this typically results in models of total flux density $\approx 50-200\,\mathrm{Jy}$, with around one clean component per square degree. (For comparison, final models usually have ≈ 25 clean components per square degree and a total flux density $\approx 100-400\,\mathrm{Jy}$.)

These instrumental polarisation images are combined using the complex primary beam (Sutinjo et al. 2015) into astronomical Stokes (I, Q, U, V). Based on previous polarisation observations with the MWA 32-tile prototype (Bernardi et al. 2013), we expect the vast majority of clean components to be unpolarised, so set Q, U and V to zero, in order that the initial self-calibration model is purely unpolarised. The Stokes I image is transformed using the same primary beam model back into instrumental polarisations, and this new model is Fourier-transformed to create a set of model visibilities, which are used to derive new per-40-kHzchannel per-polarisation per-antenna complex gain solutions (in both amplitude and phase), over the whole observing interval of 112s. Identically to the initial calibration step, baselines shorter than 60 m are not used to determine calibration solutions.

The new gains are then applied to the visibilities. AOFLAGGER is rerun on the visibilities in order to flag any RFI which was missed by the initial flagging step (Section 2.2), and is easier to detect now that the data are calibrated. This is particularly useful for the FM and DTV bands, where typically another $\approx 1\%$ of the bandwidth is flagged per observation. As a measure of image noise, the root-mean-squared (RMS) of the initial image is measured and a new CLEAN threshold is set to three times that RMS: typical values of this new CLEAN threshold are 240–60 mJy from 72–231 MHz.

At this stage, we divide the 30.72 MHz bandwidth of each observation into narrower sub-bands of 7.68 MHz, which will be used throughout the rest of the paper. This sub-band width was chosen as a compromise between various factors. As the width of a sub-band increases, the synthesised beam sidelobes are reduced, and this alongside higher sen-

³ http://ned.ipac.caltech.edu/

Table 2. Sources used for initial bandpass calibration and/or peeled from the data, with approximate flux densities and spectral indices calculated using measurements over 60–1400 MHz available via the NASA/IPAC Extragalactic Database (NED)³. Exact flux densities are not needed because the data are self-calibrated during peeling (Section 2.3.2), and every observation is later rescaled to a single flux scale (see Sections 2.3.3 and 3.2).

Source	RA	Dec	$S_{200\mathrm{MHz}}/\mathrm{~Jy}$	α	$\mathbf{Calibrator/Peeled}$
3C444	22 14 26	-17 01 36	60	-0.96	C
Centaurus A	13 25 28	$-43 \ 01 \ 09$	1370	-0.50	C
Hydra A	09 18 06	$-12\ 05\ 44$	280	-0.96	C, P
Pictor A	05 19 50	$-45\ 46\ 44$	390	-0.99	C, P
Hercules A	16 51 08	+04 59 33	377	-1.07	C, P
Virgo A	12 30 49	+12 23 28	861	-0.86	C, P
Crab	05 34 32	+22 00 52	1340	-0.22	P
Cygnus A	19 59 28	+40 44 02	7920	-0.78	P
Cassiopeia A	23 23 28	+58 48 42	11900	-0.41	P

sitivity enables deeper deconvolution. However, the primary beam model, generated at the centre of the sub-band, becomes less correct for the edges of the sub-band, as the bandwidth increases. The logistics of processing a large amount of data becomes more difficult depending on how much the data is sub-divided, while the potential usefulness of the catalogue increases with higher frequency resolution, as long as sensitivity is not overly reduced. Dividing the 30.72 MHz bandwidth into four 7.68-MHz sub-bands is a good compromise between these competing factors. The central area of the synthesised beam of a 7.68-MHz sub-band at 200 MHz is shown in Figure 1, showing minima and maxima of order 8% of the peak response.

Using WSCLEAN, we jointly clean these sub-bands, also jointly searching for CLEAN components across the instrumental polarisations, as in the initial imaging step. Major cycles are performed: typically four per observation. When the CLEAN threshold is reached, the CLEAN components are restored to make the instrumental polarisation images. These are again transformed using the primary beam model to make astronomical Stokes images.

MRC is then used to set a basic flux scale for the snapshot images. Typically the self-calibrated images have a flux scale 10–20% lower than the initial images, as only 80–90% of sky flux is captured in the initial model at the start of the self-calibration loop. We note that the loop does not cause sources uncaptured in the initial model to become even fainter, as they would in a telescope with fewer antennas (self-calibration bias); instead, all sources become fainter. We also note that while it would be ideal to perform snapshot calibration on a scaled sky model, from e.g. VLSSr and MRC, attempts to do so resulted in lower-fidelity images than a direct self-calibration, likely due to poorlyextrapolated source spectral indices and morphologies. Instead, we rescale the flux scale by selecting a sample of sources and cross-matching them with MRC, then compare the measured flux densities with those predicted from MRC. Failing to do this would lead to flux scale variations of order 10-20% between snapshots.

For the purposes of per-snapshot flux calibration, source-finding is performed using Aegean v1.9.6 (Hancock et al. 2012) 4 on the primary-beam-corrected Stokes I im-

ages, using a minimum threshold of 8σ (typically 1.6–0.3 Jy). Unresolved sources are selected by using only sources where the integrated flux density is less than twice the peak flux density. Sources in positions where the primary beam has < 20% of the maximum primary beam sensitivity are discarded, as are any peeled and restored bright $(S > 100 \,\mathrm{Jy})$ sources (Table 2). The snapshot catalogue and MRC are cross-matched using the Starlink Tables Infrastructure Library Toolset (STILTS; Taylor 2006), using only MRC sources identified as morphologically simple, and isolated (MFLAG = 0). The MRC flux densities are scaled to the relevant snapshot frequency using an assumed spectral index $\alpha = -0.85$. (Note that the precise flux scale is irrelevant as a more thorough flux calibration is performed later; see Section 3). We calculate the ratio of the scaled MRC flux densities and the measured snapshot integrated flux densities, weighting by the square of the signal-to-noise (S/N) of the sources in the GLEAM snapshot, and use this ratio to scale the snapshot. Typically around 250 sources are used to perform the flux calibration. This removes any remaining RA- (time-) dependent flux scale errors from the drift scans; these are typically of order 10-20%.

Typical expected snapshot RMS values are 200 mJy at 72 MHz to 40 mJy at 231 MHz. After the rescaling, the RMS of the image is measured, and if it is more than double the expected value for the band, the snapshot is discarded. This removes a further $\approx 2\,\%$ of snapshots.

2.4 Astrometric calibration

Per-snapshot position offsets are introduced from ionospheric distortions, which vary slowly over the night. There is usually also a small ($<20^{\prime\prime}$) astrometry error constant across all snapshots that is introduced at the initial calibration stage, for two reasons: the calibrator models used are generally scaled from high-frequency observations, where the morphology of the source may be different, and the calibrator observations are often made at a different location in the sky, resulting in a different refractive angle through the ionosphere.

For Declinations south of 18°5, the MRC catalogue is used to determine the reference positions of sources. North of this Dec, we form a similar catalogue, by cross-matching NVSS and VLSSr, and calculating a 408 MHz flux density assuming a simple power law spectral index for ev-

⁴ https://github.com/PaulHancock/Aegean

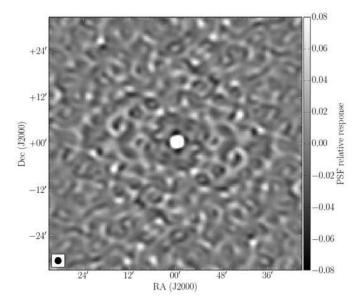


Figure 1. Central square degree of the synthesised beam of the MWA at $200-208\,\mathrm{MHz}$, showing the low sidelobe levels.

ery source ($S \propto v^{\alpha}$), and then discarding all sources with $S_{408\,\mathrm{MHz}} < 0.67\,\mathrm{Jy}$, the same minimum flux density as MRC. For these remaining sources, the NVSS positions are used as the reference source positions. For sources detected in each GLEAM snapshot, we use the same source size and signal-to-noise filters as the previous section. We crossmatch the "extended" MRC catalogue with every GLEAM snapshot catalogue, and calculate the position offsets for every source. In each snapshot there are 100–1000 crossmatched sources, depending on observation quality and frequency.

Equatorial celestial co-ordinates are not the correct reference frame for determining widefield ionospheric corrections, particularly near the South Celestial Pole. Therefore, we convert our RA and Dec offsets into (l,m) offsets. We fit a radial basis function to these offsets, with a scale size of 10° , the typical scale size of ionospheric distortions. Figure 2 shows the raw source position offsets and the fitted radial basis function, for a single night of observing. The radial basis function is then applied to the original snapshot image, and the original pixel data interpolated onto the modified grid using a Clough-Tocher 2D interpolator (Clough & Tocher 1965). The divergence of the ionospheric offset vectors is typically very low, much less than 0.1%, so no flux correction needs to be made to the resulting image data.

After astrometric correction, the per-snapshot difference RMS is of order 10–15" at the lowest frequencies and 3–6" at the higher frequencies. Based on the FWHM of the synthesised beam (210–93") and the S/N of the sources used (typically 20), one would expect the RMS from measurement error to be of order 5" at the lowest frequencies and 2".5 at the highest frequencies (Fomalont 1999). We conclude that there is a residual direction-dependent ionospheric distortion of magnitude 5–10" at the lowest frequencies, and 0.5–2.5" at the higher frequencies. While a visibility-based direction-dependent calibration for each snapshot would be ideal, at the time of writing, the algorithms and computational resources were not available to perform this over the entire surveyed area.

2.5 Mosaicking

After flagging, self-calibration, imaging, basic flux calibration and bulk ionospheric correction have been performed, there exist, for each night, of order 3,200 snapshots of the sky, in the four instrumental polarisation parameters and four 7.68-MHz frequency bands for each observation. As an example, the first twenty primary-beam-corrected and fluxcalibrated snapshots of the 103-111 MHz observations of the night of 2013 Nov 25 are shown in Figure 3, as well as a randomly-chosen typical ≈ 12 Jy source, PKS J0141-2706, and its integrated flux density as measured in each snapshot. As is particularly visible at the edges of the image, correcting the snapshots to astronomical Stokes using the current primary beam model does not result in flat flux calibration across the image compared to literature values: there are residual errors in the model of order 5-20 %, worst at frequencies > 180 MHz, at distances of more than 20° from the centre of the primary beam, and at zenith angles of more than 30°. For this reason we do not combine the XX and YY snapshots (or perform any averaging across frequency bands) at this stage, and instead follow a similar method to Hurley-Walker et al. (2014) to separately flux-calibrate these polarisations before combining them into pseudo-Stokes I. As there are complex errors in the primary beam model, but compact objects are not typically strongly polarised at low frequencies, we are unable to correct the instrumental cross-terms (XY, YX); these are discarded at this stage.

Throughout, we use the mosaicking software SWARP (Bertin et al. 2002). To minimise flux loss from resampling, images are oversampled by a factor of four when regridded, before being downsampled back to their original resolution. When generating mosaics, we weight each snapshot by the square of its primary beam response; although we know the primary beam model to be inaccurate, we do not have the S/N to derive a new primary beam model based on the snapshots alone, particularly at the fainter edges toward the null. This weighting is shown as a dashed line in the bottom right panel of Figure 3. The strong weighting ensures that where the beam model is most inaccurate (< 50 % of the full response), it is most strongly downweighted (by a factor of > 4 moving outward from that half-power point). We also include an inverse-variance weighting based on the typical RMS of the centre of each snapshot, which optimises the mosaics toward better S/N, downweighting any snapshot with residual sidelobes from poorly-peeled sidelobe sources or residual RFI.

In essence, this follows equation (1) from Sault, Staveley-Smith & Brouw (1996) which maximises the $\mathrm{S/N}$ in the output mosaic given the changing $\mathrm{S/N}$ over the field in each snapshot due to the primary beam.

For each night, the mosaicking process forms 40 mosaics from the 20×7.68 -MHz sub-bands and the two polarisations, XX and YY.

3 FLUX SCALING AND PRIMARY BEAM CORRECTIONS

3.1 Matching the polarisations

The first step we take is to rescale the XX mosaics to match the YY mosaics, for which the beam model is slightly more

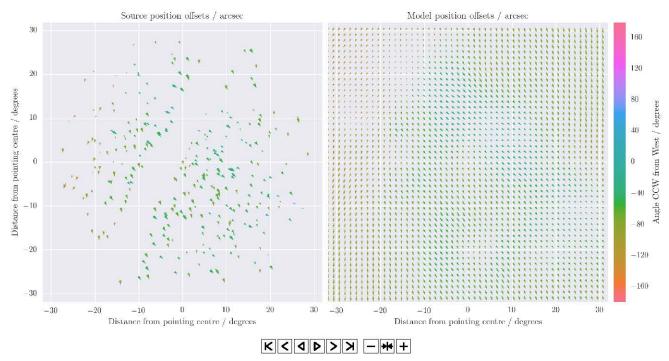


Figure 2. An animation, at four frames per second, of the measured and modelled ionospheric distortions for 44 observations performed on the night of 2013 Nov 25, at 72–80 MHz, where the distortions are largest. The left panel shows source position offsets, as measured by comparing the positions of $8-\sigma$ unresolved sources with the MRC and NVSS catalogues (see Section 2.4 for a full description of the cross-matching). The vectors indicate the direction of the correction that needs to be applied to align GLEAM with the reference catalogues. The right panel shows a radial basis function fit to these vectors, with values shown over a grid of 50×50 points. In both panels, the axes are plotted in (l, m) rather than in equatorial co-ordinates. The diagonal gap in the source offset measurements in the last ten observations is caused by the Galactic Plane. In printed versions, only the last frame will display.

accurate, as the YY (E-W) dipole is not foreshortened in a meridian drift scan. This is carried out by source-finding on each mosaic, setting a minimum threshold of 8σ and excluding all resolved and peeled sources. The two catalogues are cross-matched, and a fifth-order polynomial is fit to the ratio of the flux densities of the sources measured in the two polarisations, with respect to Dec. This polynomial is applied to the XX mosaic to rescale it to match the YY mosaic. A detailed RMS map of each polarisation is formed using the Background and Noise Estimator (BANE) from the AEGEAN package, and used as the input to an inversevariance weighted addition of the two mosaics. This forms a pseudo-Stokes-I mosaic for each sub-band, which is used from here onward for further flux calibration. Figure 4 shows the typical ratios and calculated polynomial corrections for a night of GLEAM observations.

3.2 Correcting the primary beam error and establishing the flux density scale

From empirical measurements of the primary beam it was discovered that the analytical primary beam model is incorrect on the order of $\sim 5\,\%$ to $\sim 20\,\%$ (Sutinjo et al. 2015), with the magnitude depending on the distance from the pointing centre and the observed Dec strip. While such primary beam uncertainties are minimised in the mosaicking procedure of the snapshots, there is still an observed residual variation in the flux density with respect to Dec in the mosaics. To correct for this Dec-dependent variation in flux density, and

in the process set the flux density scale empirically, we fit polynomial functions to the ratio of the measured and predicted flux densities of bright sources, with respect to Dec, then apply the calculated correction factors.

While the primary beam model is also dependent on Dec, polynomials do not need to be derived for every Dec strip because GLEAM only uses four unique analogue beamformer settings to perform the drift scans. This means that three of the settings are mirror-images of each other: Dec -40° and Dec -13° , Dec -55° and Dec $+2^{\circ}$, and Dec -72° and Dec+19°. Therefore, a Dec-dependent primary beam correction derived for any of these pointings can be applied to its mirror Dec strip by transposing and reversing the correction with respect to zenith. (The zenith pointing at Dec -27° is of course symmetric about zenith itself.) In order to interpolate predicted spectra over the GLEAM band, rather than extrapolating down in frequency, we require a measured flux density at or below our lowest frequency measurement of 72-80 MHz. Fortunately, we can use VLSSr at 74 MHz, but only for Decs greater than -30°. Therefore, we derive polynomial corrections for Dec -13°, Dec +2° and Dec+19°, and apply those corrections to both the original mosaics, and Dec -40° , Dec -55° , and Dec -72° , respectively. Since the primary beam is dependent on frequency, polynomials are independently derived for each of the twenty 7.68 MHz frequency bands. The calculation proceeds as fol-

Unresolved sources 8σ above the RMS noise floor of an individual 7.68 MHz MWA mosaic are identified and cross-

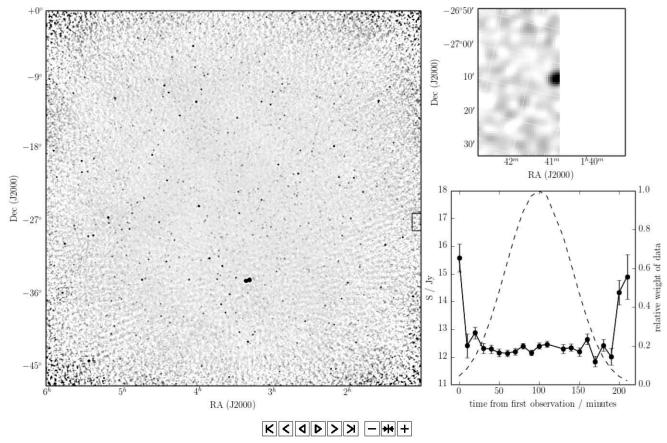


Figure 3. The left panel shows an animation, at four frames per second, of the central 45° × 45° of the Dec –27 103–111 MHz drift data from the first twenty observations taken on the night of 2013 Nov 25, and following the imaging procedure outlined in Section 2.3.3. The central Dec remains constant throughout at Dec = –26°47′; the first frame is centred on RA= 00^h02^m and the last is centred on RA= 03^h23^m. The greyscale is linear and runs from –0.1–1 Jy beam⁻¹, and a primary beam correction has been made to produce a pseudo-Stokes-I view (not truly Stokes I, as the polarisation cross-terms are discarded, as described in Section 2.5). In order to enhance the visibility of the point sources in this figure, the images in this panel have been convolved with a Gaussian of FWHM 5′. A square indicates the area shown in the top right panel, which shows PKS J0141-2706 and the surrounding 45′ × 45′, with a linear grayscale from –1–10 Jy beam⁻¹. The bottom right panel shows the measured integrated flux density of PKS J0141-2706 in each image (points; solid lines), with the local RMS of the image shown as an error bar. The dashed line shows the square of the primary beam response, which, combined with a global image RMS measurement, is the weighting given to each measurement at the mosaicking stage. NB: Due to size limits, the animation is only visible in the online version of this article. In printed versions, the last frame will display; note that in this frame, the test source is on the edge of the image, so while it is detected, its measured flux density is unreliable.

matched with the VLSSr (74 MHz), MRC (408 MHz), and NVSS (1400 MHz). Each source is required to have an unresolved counterpart in all three catalogues and a VLSSr counterpart that has a flux density >2 Jy, so as to minimise the influence of any systematic biases present in VLSSr. Additionally, the source must be more than two degrees away from the edge of the mosaic, have an absolute Galactic latitude greater than 10°, remain unresolved at all frequencies, and be flagged as isolated in MRC (MFLAG = 0) and NVSS. The spectral energy distributions (SEDs) of these sources formed from the VLSSr, MRC and NVSS flux density measurements must also be well fit by a power law (χ^2 < 5: for the two degrees of freedom, p < 0.08) and have a spectral index α less than -0.5. This excludes sources that are doubles at the resolution of NVSS, and sources that have spectral curvature or a flat spectrum, which are more likely

to be variable. The resulting average source density is approximately three sources per square degree.

Correction factors are derived by comparing the measured GLEAM flux density and the expected flux density derived from the power law fit to the VLSSr, MRC and NVSS flux density measurements. A polynomial is then fit to the correction factors as a function of Dec, weighted by the square of the S/N of the source. A cubic polynomial was always favoured over other polynomial orders as assessed by the Bayesian fitting procedure described in §3 of Callingham et al. (2015). For zenith, only sources with Dec> $-26^{\circ}.7$ were fit.

The corrections are applied to the original mosaics and also mirrored across the zenith and applied to the corresponding mosaic on the opposite side of the sky. Note that while the corrections are symmetric in *elevation*, the mosaics are formed in RA and Dec. The sky rotates more slowly

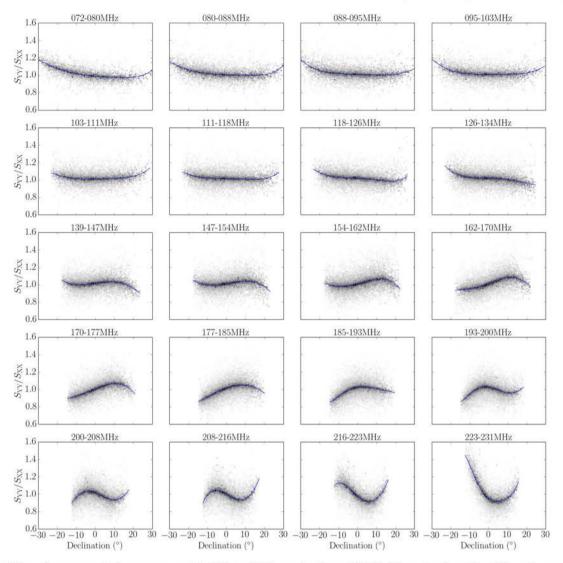


Figure 4. Ratios of source peak fluxes measured in YY and XX mosaics from 2013-11-07, centered on Dec +2°, with respect to Dec. All 20 sub-bands are shown, from lowest (top-left) to highest (bottom-right) frequencies. The weight of the data is the quadrature sum of the S/N of the sources in each mosaic, and is represented in a log grayscale, with darker points having higher weight. Fifth-order polynomial fits to the data are shown as blue solid lines. The Dec range sampled reduces as the primary beam becomes narrower with increasing frequency.

through the primary beam with increasing |Dec| away from the equator, leading to a different amount of time on source. This effect is calculated and removed by measuring and applying the ratio of the XX:YY corrections North and South of the zenith.

An example of the polynomials derived for each frequency at Dec +2° is provided in Figure 5. A schematic of the different correction procedures, and how the GLEAM survey compares to Dec coverage to other well-known radio surveys, is presented in Figure 6.

Exploiting the symmetry of the primary beam over the meridian in correcting the flux density Dec-dependence is contingent on the flux density variation being solely due to inaccuracies in the primary beam model. It is possible the ionosphere could produce a similar Dec-dependence due to variation in electron column density with respect to elevation, and variations of ionospheric conditions each observing night (see e.g. Loi et al. 2015). However, we are confident

that the observed Dec-dependence is primarily due to deficiencies in the primary beam model because the polynomials derived for the same section of the sky on different observing nights were found to be identical. Additionally, each mosaic of a Dec strip has overlap regions with the bracketing Dec strips taken three months apart. The polynomials derived independently in the bracketing mosaics are identical in the overlap regions, further suggesting the Dec-dependence in the flux density is due to the primary beam model. This is demonstrated in Figure 7, which shows the Dec dependence in the correction factors is flat after the polynomials have been applied across the whole survey above a Dec of -30° .

The Dec-dependent correction procedure alters slightly at Dec $> +18^{\circ}.5$ as this is the northern limit of MRC. Hence, sources that have a Dec greater than 18°.5 have only two flux density measurements from which to estimate the correct flux density at the GLEAM observing frequency. This substantially increases the spread in correction factors due to

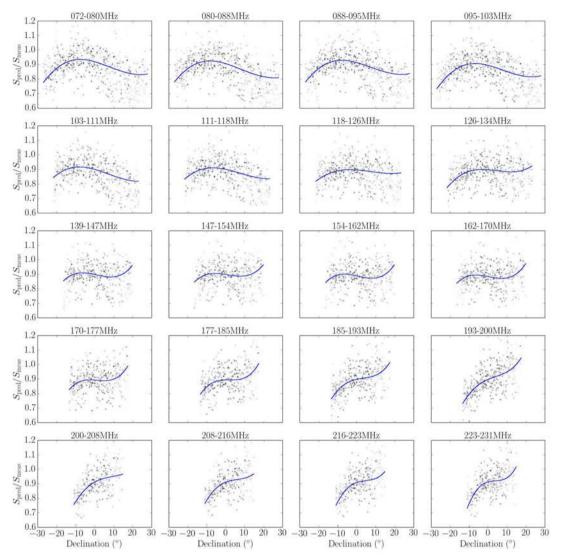


Figure 5. The ratio of the predicted flux density from the SEDs formed from VLSSr, MRC and NVSS flux density measurements, to the GLEAM flux density measurements, for the Dec +2° strip, from observations taken on the night of 2013-11-07. All twenty subband frequencies of GLEAM are presented, with obvious deviations from unity largest for the highest frequencies. The weight of the data is the quadrature sum of the S/N of the sources in the mosaic, and is represented in a log grayscale, with darker points having higher weight. Third-order polynomial fits to the data are shown as blue solid lines. The Dec range sampled reduces as the primary beam becomes narrower with increasing frequency.

the increase in contamination by sources with spectral curvature. Therefore, the precision of the Dec-dependent flux scale correction is lower for sources with Decs greater than +18°.5 and less than -72°, the latter due to the mirroring of the corrections. This is conveyed by increased systematic uncertainties in the flux density for sources above and below these Decs (see Section 4.5.1).

Note that in this correction process the flux density measurements in VLSSr are converted from the flux density scale of Roger, Costain & Bridle (RCB; 1973) to the flux density scale of Baars et al. (1977) for this analysis. The Baars flux density scale is less accurate than the RCB flux density scale below 300 MHz (Rees 1990) but such inaccuracy is on the order of $\sim 3\,\%$ or less (Perley et al., in prep.), and smaller than the uncertainties introduced by correcting the Dec-dependence. The conversion to the Baars flux density scale was also to facilitate the use of the GLEAM

survey with other radio frequency catalogues and to ensure consistency with future southern hemisphere surveys that will be conducted at frequencies greater than 300 MHz, such as those to be completed by the Australian Square Kilometre Array Pathfinder (ASKAP; Hotan et al. 2014).

3.2.1 Independent test of the GLEAM survey flux density scale

To independently test the accuracy of the flux density scale of the GLEAM survey, we observed 47 compact sources between Decs of $+25^{\circ}$ and -45° using the P-band system on the VLA (proposal 14B-498, PI Callingham). The P-band system is sensitive between 230 and 470 MHz, providing an overlap at the top of the GLEAM frequency band allowing a direct comparison of the flux density scales.

The target sources were selected to be compact, non-

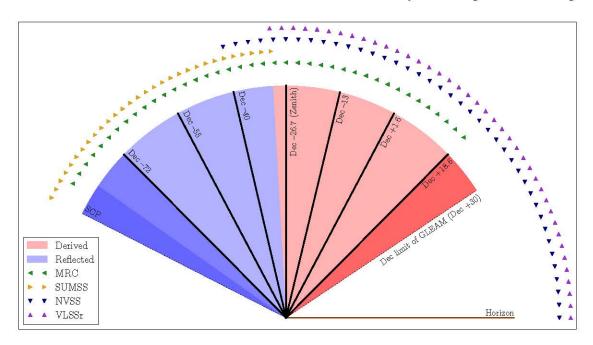


Figure 6. A schematic demonstrating the Dec coverage of GLEAM relative to other radio surveys and the correction procedures performed for the different drift scans. The Dec settings of the drift scans performed are plotted as solid black lines. The Dec coverage of VLSSr, MRC, SUMSS and NVSS, relative to the GLEAM survey, are represented by coloured symbols. Whether the correction of the variation in flux density with Dec was derived or reflected from a mirror Dec setting is conveyed by red and blue shading, respectively. The darker red or blue shading represents greater uncertainty in the flux density scale in that declination range, as discussed in Section 3.2. Note that in the final images, the transitions are not sharp as depicted here, as the data are inverse-variance weighted by the primary beam before co-addition.

variable sources that were brighter than 4 Jy at 408 MHz, criteria used by the well-characterised MS4 catalogue (Burgess & Hunstead 2006). Sources were observed in two two-minute snapshot observations with the VLA in either CnB or B configuration. The data reduction was performed using the standard AIPS packages. 3C48 was used to set the flux density scale for the observations, which also placed the P-band observations on the Baars et al. (1977) flux density scale. Any discrepancy between the GLEAM and P-band was always less than a difference of $\sim 5\,\%$, well within the uncertainties on the flux density measurements. Therefore, we find no disagreement, within uncertainties, at the top end of the GLEAM band, for the sources in this sample. The SEDs of two of the sources targeted are provided in Figure 8.

3.2.2 Comparison with other catalogues

Cross-matching the GLEAM extragalactic catalogue with all other overlapping radio surveys is beyond the scope of this paper. However, we make a short comment on one of the most complementary surveys.

The GMRT 150 MHz All-sky Radio Survey released its First Alternative Data Release (TGSS-ADR1; Intema et al. 2016) at the time of writing of this paper. As TGSS-ADR1 and GLEAM overlap between -53° < Dec < $+30^{\circ}$, and both make measurements at 150 MHz, we performed a preliminary comparison of bright ($S_{150\text{MHz}} > 1 \text{ Jy}$), unresolved ($(a \times b)/(a_{\text{PSF}} \times b_{\text{PSF}}) < 1.1$), and classed as fit by a single Gaussian in TGSS-ADR1) radio sources to compare the two flux density scales. Using these $\approx 3,000$ sources, we find the ratio of the GLEAM to TGSS flux density scales is 1.03, av-

eraged over the sky. This 3% difference is within the range expected since GLEAM and TGSS-ADR1 are on different flux density scales, with TGSS-ARD1 on the scale of Scaife & Heald (2012), which is a flux density scale bootstrapped from the RCB flux density scale.

In this very early data release, there are significant position-dependent flux density scale discrepancies, which are due to issues with calibration of the GMRT data. At the time of writing, these issues are being solved in order to produce a second data release of TGSS. This first comparison was also used for a transients analysis, detailed in Murphy et al. (submitted). It was also used to remove two false sources from the GLEAM catalogue, which were FFT aliases of bright sources just a few degrees outside the imaged fields-of-view.

Due to the differing resolutions of the two surveys (25" against 2"), fainter sources are more difficult to cross-match correctly. This is even more true for surveys at different frequencies such as SUMSS (843 MHz; 43"), as the apparent morphology of sources can change with frequency. This nontrivial problem will be considered in more detail in the upcoming paper Line et al. (in prep), using suitable Bayesian modelling to discriminate between different potential cross-matches (Line et al. (submitted)).

3.3 Forming large mosaics

For each sub-band, each week of observations is combined into a single mosaic, using SWARP. This forms four overlapping views of the sky, with some small gaps around very bright sources, and the Galactic Plane. For observations at

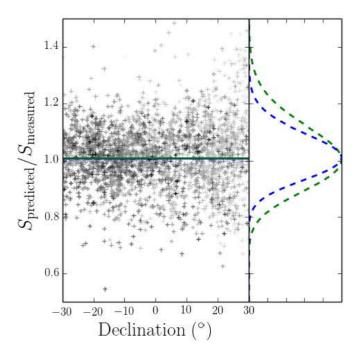


Figure 7. The overall flux scale of the 151 MHz narrow-band image, compared to source models extrapolated from VLSSr, MRC and NVSS, as described in Section 3.2. The ordinate axis shows the ratio of the predicted to measured flux densities and the abscissa shows Dec. The greyscale of the points is the log of their weights, given by their S/N in the wideband image. The curves on the right show weighted log-Gaussian fits to the distribution of the ratios: the outer green dashed line shows the fit for those points with Dec > 18°5, for which no MRC data was available, while the blue dashed line shows the fit for those points with Dec < 18°5, covered by MRC. The standard deviation of the high-Dec curve is 13% and the standard deviation of the low-Dec curve is 8%. The plots and statistics for other narrow bands are almost identical.

Dec= -72°, only pixels which fall within ±1 hour of RA of the observation RA are used, in order to minimise ionospheric blurring around the South Celestial Pole. These mosaics form the basis of subsequent analysis. We note that reprojecting all data to a spherical format such as Healpix (Górski et al. 2005) allows the combination of all the data in the same image plane. However, we found the week-long mosaics to be the largest useable area without running into computational memory constraints, and that Zenithal Equal Area (ZEA; Calabretta & Greisen 2002) is a projection that gives good results in general purpose software, which is especially important for accurate source-finding.

3.4 Characterising the point spread function

Typical radio astronomy imaging combines only a few observations in the image plane, for any given pixel. Due to the very wide field-of-view of the MWA, and the drift scan strategy, any given pixel in a mosaic includes contributions from observations over a full hour, during which the ionosphere may distort the positions of sources by varying amounts. The bulk astrometric offsets described in Section 2.4 leave direction-dependent effects of around 5–25", which will be smallest at the centres of each drift scan, where the sensitiv-

ity of the primary beam is greatest, and below Dec +18.5, where the MRC catalogue is complete. When we form the week-long mosaics, the lowest frequencies have more overlap than the higher frequencies.

The result of integrating 20-40 observations, with various weights per pixel, tends to be a slight apparent blurring of the point spread function (PSF). Without characterisation and correction, all sources will be detected as slightly resolved by any source-finder, and we will overestimate our ability to resolve real features. This blurring effect varies smoothly over the sky due to the slowly-changing contribution of different observations to each pixel, and increases apparent source areas by 1-25% depending on the frequency of observation and ionospheric activity. The effect on a resulting source catalogue will be to reduce the observed peak flux densities of sources, while integrated flux densities should be preserved. A simple simulation using the typical persnapshot position difference RMS for each frequency as computed in Section 2.4 to stack Gaussians in slightly different positions confirms that the blurring we observe is due to the residual ionospheric distortions.

There is also a projection effect, from combining multiple SIN-projected images into a single ZEA mosaic. In a SIN projection, the restoring beam has the correct dimensions across the entire image. When SWARP transforms to a ZEA projection, the apparent size of sources is conserved, and so sources with large zenith angle (ZA, = 90°-elevation) appear stretched, taking up more pixels than their zenith equivalents. This is entirely a projection effect which scales as $1/\cos ZA$. High-ZA sources appear to have larger integrated flux densities while their peak flux densities are preserved. Thus, to correctly characterise the PSF, and correctly flux-calibrate both the peak and integrated flux densities, we must carefully disentangle the projection and blurring effects.

The challenge of measuring the blurring effect is reasonably analogous to optical point-spread-function characterisation, for which several general-purpose packages exist, mainly based on using unresolved sources in the image to sample the shape of the PSF over the image, and performing interpolation over the results. However, unlike in the optical case, in which a population of unresolved stars can be extracted via their sizes and optical colours, it is difficult to distinguish genuinely resolved radio sources from blurred unresolved sources. We use four criteria to distinguish useful unresolved sources which are characteristic of the PSF:

- (i) Not obviously extended: integrated flux density $< 2 \times peak$ flux density;
 - (ii) Isolated: does not lie within 10' of another source;
- (iii) Unresolved in other catalogues: Cross-matches with similarly isolated, point-like MRC (MFLAG = 0) or VLSSr (a,b < 86'') sources;
- (iv) Gaussian: residual after subtracting fitted Gaussian is less than 10% of the peak flux.

Typically this selects 5-15% of the available sources, giving a source density of about one source per square degree.

PSF maps are generated by re-projecting the PSF sample onto a Healpix sphere (Górski et al. 2005), with NSIDE= 16 (corresponding to ≈ 13.4 square degrees per pixel). Each pixel is averaged together with its neighbours: a form of spherical box-car averaging. During averaging, the sources

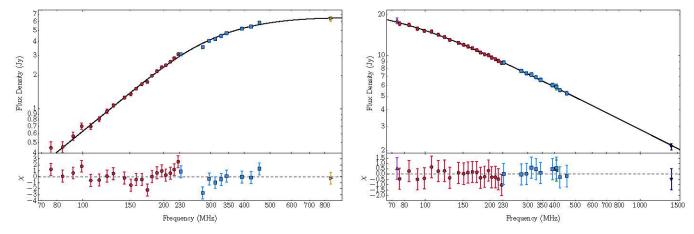


Figure 8. Spectral energy distributions of two compact sources (left panel: PKS B0008-421; right panel: PKS B0310-150) targeted by the VLA to independently test the flux density scale of the GLEAM survey. The P-band and GLEAM data points are shown as blue squares and red circles, respectively. Purple upward-pointing, green leftward-pointing, yellow rightward-pointing, and navy downward-pointing triangles are from the surveys VLSSr, MRC, SUMSS, and NVSS, respectively. Note that a model fit (Bicknell, Dopita & O'Dea 1997) has been applied to both sources and is shown in black. The χ -values for the model fit to the data are displayed in the panel below the spectral energy distribution.

are weighted by their S/N (peak flux density divided by local RMS measurement) multiplied by their Gaussianity (peak flux density divided by residual of model subtraction). This process forms smoothly-varying maps as a function of position on the sky of major axis, minor axis, and position angle.

In order to restore the peak flux density of the sources, we multiply all of our images by the degree of blurring that we measure, but not the projection effect that arises from the SIN to ZEA transformation. After the PSF map has been measured, its antecedent mosaic is multiplied by a (position-dependent) "blur" factor of

$$R = \frac{a_{\rm PSF}b_{\rm PSF}\cos ZA}{a_{\rm rst}b_{\rm rst}} \tag{1}$$

where $a_{\rm rst}$ and $b_{\rm rst}$ are the FWHM of the major and minor axes of the restoring beam. This has the effect of normalising the flux density scale such that both peak and integrated flux densities agree, as long as the correct, position-dependent PSF is used.

The estimated PSF is stored in the catalogue, and added to the header of any downloaded postage stamp image. This allows users to determine whether a source is really extended, or if there was more ionospheric blurring at that location. It is also used throughout source-finding for the final catalogue: see Section 4. An example of the major axis, minor axis, and blur factor for a part of the sky at a single frequency are shown in Figure 9. Position angle is not shown as it is entirely determined by projection, and thus is almost always zero (North), except near the zenith where the PSF is circular and thus position angle is meaningless.

4 SOURCE FINDING AND CATALOGUING

The cataloguing process is carried out in a tiered approach. For each week of observations a single wideband image is created which covers the frequency range 170–231 MHz. This image achieves minimal noise and maximum resolution.

Sources are extracted from this image and quality control measures are applied to obtain a reference catalogue. The flux density of each source within this reference catalogue is then measured in each of the twenty 7.68 MHz narrow-band images.

4.1 Wideband image

The primary product of the image processing described previously is a set of twenty images each with a bandwidth of 7.68 MHz. In order to construct the most sensitive combined image the following process was used: choose N images starting at the highest frequency (highest resolution) image; convolve all these images to a common resolution (the lowest resolution of the N images); combine these images and measure the noise within this combined image. This process is repeated with a greater N until the noise no longer decreases as more images are added. At this point we have an image with a good compromise between resolution and sensitivity. This process results in a wideband image that covers 170–231 MHz, with a resolution of $\approx 2'$ (the FWHM of the synthesised beam at 170 MHz). This wideband image is then used to create a reference catalogue for each of the four observing weeks.

4.2 Wideband image catalogues

Source finding is performed using Aegean with a detection threshold of $5\times$ the local RMS. The background emission and RMS noise properties of the wideband images are characterized using BANE, effectively filtering structure of scales > $10\times$ the size of the local PSF into the background image. The point spread function is allowed to vary across the image using the characterization described in the previous section. A $12.5 \, \text{deg}^2$ representative subsection of the wideband image, its measured background, and RMS, are shown in Figure 10. Note that because the MWA is sensitive to large-scale Galactic structure, which is not deconvolved, sources

14 Hurley-Walker et al.

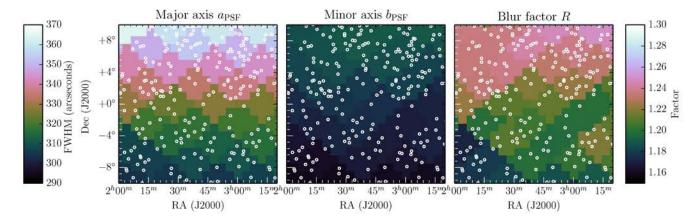


Figure 9. Point spread function: the major axis (left panel), the minor axis (middle panel), and the blur factor (right panel) for an example ≈ 100 square degrees of the lowest sub-band (72–80 MHz) image of GLEAM. White "o"s show the locations of sample sources used to generate the map, at an average source density of one source per square degree. The left colorbar is to be used with the two left panels, and the right colorbar for the right panel only.

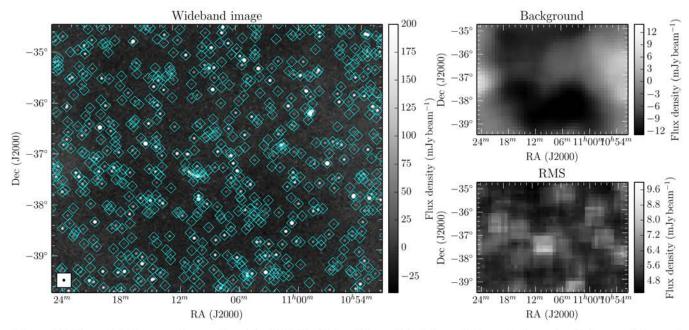


Figure 10. Example 12.5 square degrees from the GLEAM wideband image. The left panel shows the image itself; the top right panel shows the background, and the lower right panel shows the RMS. Detected sources are marked on the main image with cyan diamonds. The PSF for this region is shown as a filled ellipse in the lower left of the main image.

appear on a background which can be positive or negative. As the diffuse Galactic synchrotron has a steep spectrum of $\alpha = -2.7$, the background tends to be larger at lower frequencies. This background is subtracted automatically by AEGEAN during source-finding.

Aegean characterizes sources, or groups of sources, as a combination of elliptical Gaussian components. Each component is described by a position, peak flux density, major and minor axis size and position angle. Each component with the catalogue is assigned a universally unique identifier (UUID), which has no meaning in and of itself, but plays an important role in the matching of sources in narrow-band images

A number of position-based filters were implemented in order to remove false detections and sky areas that are be-

yond the scope of this paper. Sources that fell: within 10° of the Galactic plane, within 5°.5 and 2°.5 of the Large or Small Magellanic Clouds, respectively, within 10′ of peeled sources (Table 2), within 9′ of Centaurus A, or North of Dec+30°, were removed from the catalogues. A northern region was also discarded due to two nights of high ionospheric activity in the first week of observing, and a further northern region was discarded because Centaurus A fell in a primary beam side-lobe and made the self-calibration stage as designed impossible. Figure 11 shows the footprint of the survey region after these positional filters were applied, and Table 3 lists the exclusion zones.

Note that ionospheric blurring affects the resolution of the wideband image the least, of order 5 %, due to the high frequency of its component observations. Thus, source morphologies are well-characterised, despite the residual effects of ionospheric distortion.

4.3 Narrow-band image catalogues

The catalogue entries for the narrow-band images are not created via blind source finding. For each source in the reference catalogue we measure the flux density in each of the narrow-band images. We call this measurement process *priorised fitting*; we utilise AEGEAN, and outline the processing here.

Each of the narrow-band images has a different resolution and so the measurement process begins by determining the expected shape of the sources from the reference catalogue. A source from the reference catalogue is deconvolved by the local PSF in the wide-band image, and then convolved with the local PSF from the narrow-band image. All sources within the reference catalogue are then sorted into groups such that any sources that overlap at the half-power point of their respective Gaussian fits are put into the same group. A fit is then performed for the peak flux of each source, with the position and newly-determined shape parameters held fixed. This fit is performed over all sources within a group at the same time. Rarely, it is not possible to make a measurement of a source in a narrow-band image. This can occur if the local PSF was not able to be determined for that image, or if part of the sky was not able to be imaged at a particular frequency. Just under 2% of sources do not have a measurement in one or more sub-bands.

The fitted and fixed source parameters are recorded and each source is assigned the same UUID as its corresponding reference source. The process of associating sources from the narrow-band images with their reference sources within the wideband images is achieved by matching UUIDs. This refitting and matching process guarantees the extraction of intra-band spectral energy distributions for all sources, without having to rely on position-based cross-matching of catalogues that may describe a single source with a different number of components in each of the narrow-band images. Since the narrow-band image measurement process does not involve blind source finding, there is no signal-to-noise cut placed on the fluxes from these narrow-band images. As a result, it is possible for the reported flux in the narrow-band images to be less than the RMS noise level, or even negative. The presence or absence of a flux density measurement at a narrow-band frequency does not indicate a detection or non-detection, but merely that a measurement was made. We note that this also avoids overestimation of the flux density of faint sources in the narrow-band images, because their shape parameters are not allowed to vary, so cannot be extended by a local increase in the RMS noise.

4.4 Final catalogue

Once the narrow-band catalogues have been created and curated, they are combined together to generate the GLEAM master catalogue. Where there was overlap between different observing weeks, the sky area with the lower RMS noise was chosen to produce the master catalogue. This catalogue lists the location of each source as measured in the wideband image, the integrated flux, and shape of each source

at each of the frequencies within the survey, along with the local PSF at the location of each source at each frequency. The catalogue contains 307,456 rows, and 310 columns. Column names, units, and descriptions are shown in Table A. The electronic version of the full catalogue is available from VizieR.

4.5 Error derivation

In this section we examine the errors reported in the GLEAM catalogue. First, we examine the systematic flux density errors from our primary beam mirroring technique. Then, we examine the noise properties of the wide-band source-finding image, as this must be close to Gaussian in order for sources to be accurately characterised, and for estimates of the reliability to be made, which we do in Section 4.5.4. Finally, we make an assessment of the catalogue's astrometric accuracy. These statistics are given in Table 4.

4.5.1 Flux density scale uncertainty

For the majority of the GLEAM survey, the dominating uncertainty in the flux density measurements results from the Dec-dependent flux density correction. This systematic uncertainty is due to the spread in correction factors, as is evident in Figure 5 and discussed in Section 3.2. The systematic uncertainty is calculated as the standard deviation of a Gaussian fit to the remaining variation in the ratio of predicted to measured source flux densities, as shown in the right panel of Figure 7.

For sources lying between Decs -72° and +18°,5, these uncertainties are $8 \pm 0.5\%$ of the integrated flux density. As MRC only has coverage up to a Dec of +18.5, the systematic uncertainties are larger, $11 \pm 2\%$, for sources with a Dec greater than +18.5° and those with a Dec between -83.5 and -72°, the latter due to the primary beam mirroring technique (Section 3.2). Finally, sources with $Dec < -83^{\circ}5$, near the South Celestial Pole, have close to ~80 % systematic uncertainties as the flux density polynomial corrections used for this area are mirrored extrapolations from Dec 30°-36°.6 (Figure 6). The catalogue therefore contains a column indicating the expected systematic uncertainty for each source, based on its Dec: 80% for $-90^{\circ} \le Dec < -83^{\circ}5$ (911 sources): 13% for $-83.5 \le Dec < -72^{\circ}$ (8.821 sources) and $+18.5 \le$ Dec $< 30^{\circ}$ (15,452 sources); and 8% for $-72^{\circ} \le Dec < 18.5$ (280,431 sources).

4.5.2 Noise properties

Here we examine the characteristics of the noise in the wideband image. We use a $675\,\mathrm{deg^2}$ region where there are a fairly typical number of bright sources (20 with $S>5\,\mathrm{Jy}$) and the mean RMS noise is quite low (7.6 mJy beam⁻¹), centred on RA 3^h , Dec -27° .

To characterise the area outside of detected sources, we use two different methods: masking the $(S>4\sigma)$ pixels which are used during source characterisation; and subtracting the measured source models from the image. Since the RMS noise varies over the image, we divide the resulting images by the original noise images to produce images of S/N, and plot the distributions of these pixels in Figure 12.

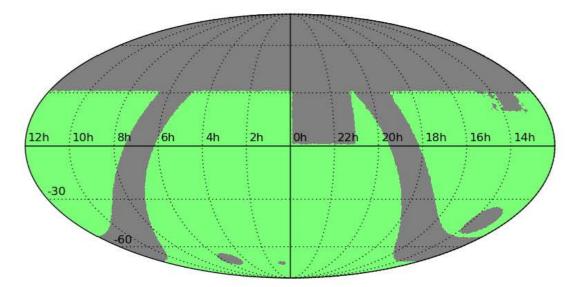


Figure 11. Detected sources that fall within the green shaded area, described in Table 3, are included in the catalogue.

Table 3. The areas surveyed (top row), flagged (middle rows), and catalogued (final row) in this paper. r indicates the radius around a source inside which flagging was performed.

Description	Region	Area / square degrees 30,940	
Total surveyed area	Dec < +30°		
Galactic plane	Absolute Galactic latitude < 10°	4,776	
Ionospherically distorted	$0^{\circ} < \text{Dec} < +30^{\circ} \& 21^{h} < \text{RA} < 0^{h}$	1,289	
Centaurus A (see Table 2)	$13^{h}25^{m}28^{s} - 43^{\circ}01'09'', r = 9^{\circ}$	254	
Sidelobe reflection of Cen A	$13^{h}07^{m} < RA < 13^{h}53^{m} & 20^{\circ} < Dec < +30^{\circ}$	104	
Large Magellanic Cloud	$05^{h}23^{m}35^{s} - 69^{\circ}45'22'', r = 5.5$	95	
Small Magellanic Cloud	$00^{h}52^{m}38^{s} - 72^{\circ}48'01'', r = 2.5$	20	
Peeled sources (see Table 2)	$r = 10^{\prime}$	< 1	
Final catalogue area		24,402	

The original image has a negative mean due to the undeconvolved sidelobes of the diffuse Galactic background; this has been subtracted from the plotted distributions.

For the masked image, no pixels reach $|S/N| > 5\sigma$, which is consistent with the source-detection algorithm. There is also a surfeit of pixels with $S/N>2.5\sigma,$ which is unsurprising, because these pixels include the fainter tails of sources not included when the sources are characterised, as well as many faint, real, confused sources. The distribution is thus slightly asymmetric; BANE has attempted to determine a characteristic RMS noise, but when considering the negative pixels, this RMS noise appears to be an overestimate of approximately 7.5%. This is due to its use of sigma-clipping, which does not cope well with the large number of 3–5 σ confused sources present at this noise level. This is difficult to correct for, as the noise level varies over the sky, and devising a new noise estimator is beyond the scope of this paper. Therefore we note that the images may contain believable sources which will not appear in the catalogue; this is preferential to the reverse situtation of underestimating the noise, and lowering the reliability of the catalogue.

For the residual image, there is both a negative and positive tail. Note that these pixels are within the extents of detected sources. They are caused by imperfect modelling of sources using elliptical Gaussians, which is not unexpected given that sources may have real extent, and calibration errors act to make sources less Gaussian. We expect any unreal sources to lie only within δ' of detected sources, although calibration errors around extremely bright $(S>100 \,\mathrm{Jy})$ sources are not considered in this particular region of sky (see Section 4.5.4 for a reliability analysis of the whole sky).

We note here that it is the sidelobe confusion in particular which limits the depth of this survey; after an effective integration time of ≈ 10 minutes, some areas of the wideband image (particularly near zenith, where the primary beam has most sensitivity) reach RMS noise levels of $5 \,\mathrm{mJy}\,\mathrm{beam}^{-1}$. However, further integration time would not significantly reduce the noise, if we continue to individually deconvolve each snapshot to a 3σ threshold, because fainter sources will never be CLEANed. Instead, it is necessary to use a peeling strategy such as that adopted by Offringa et al. (2016). Eventually one will reach the classical confusion limit, measured by Franzen et al. (2016) to be $\simeq 1 \,\mathrm{mJy}$ beam⁻¹ for the MWA, at these frequencies. Franzen et al. (2015) describes the confusion properties of the GLEAM survey across the full 72-231 MHz bandwidth: the confusion at 231 MHz is < 1 mJy, < 3% of the typical local RMS at that frequency,

while the confusion at 72 MHz is $\approx 10\,\mathrm{mJy}$, $\approx 10\,\%$ of the typical local RMS at that frequency.

4.5.3 Completeness

The completeness of GLEAM cannot be quantified using existing surveys, due to its unique combination of high surface brightness sensitivity, low frequency of measurement, and relatively low resolution. As detailed in Section 3.2.2, GLEAM was cross-matched with TGSS-ADR1 to verify its flux density scale; unfortunately, this early data release suffered from position-dependent calibration errors, which mean its completeness is quite unknown, so it cannot serve as a reference for the completeness of GLEAM. NVSS and SUMSS are more sensitive surveys, but for a physicallyreasonable spectral index limit of $\alpha = -2.5$, their best completeness limits of $S_{1.4GHz} = 2.5 \,\mathrm{mJy}$ and $S_{843MHz} = 8 \,\mathrm{mJy}$ are, at 200 MHz, only 324 mJy and 292 mJy, respectively. As nearly 80% of the GLEAM catalogue sources have flux densities < 300 mJy, and an unknown number of these sources could have spectral indices \simeq -2.5, these higher-frequency surveys cannot be used as a reference for the completeness of GLEAM. There is also the difficult issue of cross-matching surveys of very different resolutions; this problem will be addressed in the upcoming paper Line et al. (in prep).

Instead, simulations are used to quantify the completeness of the GLEAM source catalogue at 200 MHz. It is beyond our computational budget to perform these simulations on the individual observations, so the characterisation is performed after flux-calibrated mosaics have been formed. Thirty-three realisations were used in which 250,000 simulated point sources of the same flux density were injected into the 170–231 MHz week-long mosaics. The flux density of the simulated sources is different for each realisation, spanning the range 25 mJy to 1 Jy. The positions of the simulated sources are chosen randomly but not altered between realisations; to avoid introducing an artificial factor of confusion in the simulations, simulated sources were not permitted to lie within 10′ of each other.

Sources are injected into the week-long mosaics using AERES from the AEGEAN package. Areas flagged from the GLEAM source catalogue (see Table 3) are excluded from the simulations. The major and minor axes of the simulated sources are set to $a_{\rm psf}$ and $b_{\rm psf}$, respectively.

For each realisation, the source-finding procedures described in Section 4.2 are applied to the mosaics and the fraction of simulated sources recovered is calculated. In cases where a simulated source is found to lie too close to a real $(>5\sigma)$ source to be detected separately, the simulated source is considered to be detected if the recovered source position is closer to the simulated rather than the real source position. This type of completeness simulation therefore accounts for sources that are omitted from the source-finding process through being too close to a brighter source.

Figure 13 shows the fraction of simulated sources recovered as a function of $S_{200 \rm MHz}$ in the entire survey area. The completeness is estimated to be 50% at $\approx 55 \, \rm mJy$ rising to 90% at $\approx 170 \, \rm mJy$. Figure 13 also shows the completeness as a function of $S_{200 \rm MHz}$ in the most sensitive areas of the survey (0^h < RA < 3^h and -60° < Dec < -10°; $10^{\rm h}$ < RA < 12^h and -40° < Dec < -15°) where the noise is uniform (6.8 ± 1.3 mJy beam⁻¹). The completeness in these

areas is estimated to be 50% at \approx 34 mJy and 90% at \approx 55 mJy. Errors on the completeness estimate are derived assuming Poisson errors on the number of simulated sources detected.

The survey completeness varies substantially across the sky because of the presence of bright sources and varying observational data quality. In order to map the variation of the completeness across the sky, we have produced maps of the completeness at flux density levels from 25 to 1000 mJy. The completeness at any pixel position is given by $C = N_{\rm d}/N_{\rm s}$, where $N_{\rm s}$ is the number of simulated sources in a circle of radius 6° centred on the pixel and $N_{\rm d}$ is the number of simulated sources that were detected above 5σ within this same region of sky. The completeness maps, in FITS format, can be obtained from the supplementary material. Postage stamp images from our VO server also include this completeness information in their headers.

Assuming Poisson statistics, the error on the completeness, δC , is given by $\sqrt{N_{\rm d}}/N_{\rm s}=\sqrt{C/N_{\rm s}}$. Given that 200,020 sources were randomly distributed over an area of 24,402 deg², $N_{\rm s}\approx 900$. Therefore, $\delta C\approx \sqrt{C}/30$. For example, for $C=0.9,\ \delta C\approx 0.03$ and for $C=0.5,\ \delta C\approx 0.02$.

Figure 14 shows completeness maps at 25, 50 and 75 mJy. The completeness is highest close to the zenith. At 50 mJy, the completeness is $\approx 90\%$ at most RAs. There are regions where the completeness at 75 mJy remains poor, particularly at high Decs, due to the presence of bright contaminating sources, rapid sky rotation, and reduced primary beam sensitivity.

4.5.4 Reliability

In order to estimate the reliability of the GLEAM catalogue, we run the source finder AEGEAN on the four week-long mosaics covering 170-231 MHz in exactly the same way as described in Section 4, except that we used a special mode of AEGEAN that only reports sources with negative flux densities. After applying position-based filtering (Table 3), the total number of sources with negative peaks below -5σ , hereafter referred to as "negative"; sources, was 97. The most negative recorded peak flux density was -8.3σ . If the noise distribution were symmetric about zero, we would expect a number of spurious sources identical to the number of "negative" sources. The total number of sources above 5σ in the GLEAM catalogue is 307,456. Using the argument that there should be as many false positives as detected negative sources, we estimate the reliability to be $1.0 - \frac{97}{307,456} = 99.97\%$. We note that since priorised fitting was used to characterise sources in the subband images, the reliability is the same in all subband images.

The majority of the negative sources lie close to bright sources and result from image artefacts caused by calibration and deconvolution errors: 67 (69%) of the negative sources lie within 6′ of a source brighter than 3 Jy. Sources with $S/Ns \lesssim 10$ lying within a few arcmin from strong ($\gtrsim 3$ Jy) sources are most likely to be spurious.

4.5.5 Astrometry

We measure the astrometry using the 200-MHz catalogue, as this provides the locations and morphologies of all sources

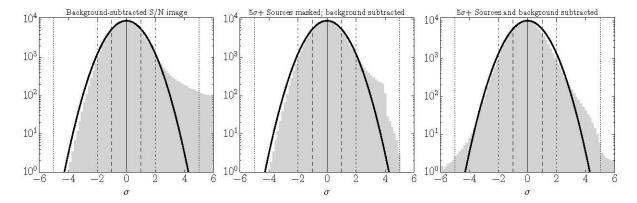


Figure 12. Noise distribution in a typical 675 square degrees of the wideband source-finding image. BANE measures the average RMS in this region to be 7.6 mJy beam⁻¹. To show the deviation from Gaussianity, the ordinate is plotted on a log scale. The leftmost panel shows the distribution of the S/Ns of the pixels in the image produced by subtracting the background and dividing by the RMS map measured by BANE; the middle panel shows the S/N distribution after masking all $(S > 4\sigma)$ pixels over which sources were characterised; the right panel shows the S/N distribution after subtracting the models of the detected sources. The light grey histograms show the data. The black lines show Gaussians with $\sigma = 1$; vertical solid lines indicate the mean values. $|S/N| = 1\sigma$ is shown with dashed lines, $|S/N| = 2\sigma$ is shown with dash-dotted lines, and $|S/N| = 5\sigma$ is shown with dotted lines. The paucity of negative pixels underneath the Gaussians shows that BANE over-estimates the noise in this region by $\approx 7.5\%$, due to the strong confusion component (grey pixels on the right-hand side of the distribution in the middle pannel).

Table 4. Survey properties and statistics. We divide the survey into four Dec ranges, as shown in Figure 6, because the noise properties, and astrometric and flux calibration, differ slightly for each range. Values are given as the mean±the standard deviation. The statistics shown are derived from the wideband (200 MHz) image. The flux scale error applies to all frequencies, and shows the degree to which GLEAM agrees with other published surveys. The internal flux scale error also applies to all frequencies, and shows the internal consistency of the flux scale within GLEAM.

Property	$Dec < -83^{\circ}.5$	$-83^{\circ}.5 \leq Dec < -72^{\circ}$	$-72^{\circ} \leq Dec < +18.5$	$Dec \geq 18 \cdots 6$
Number of sources	920	8,780	281,931	16,170
RA astrometric offset (")	-4 ± 16	-4 ± 16	-0.2 ± 3.3	0.5 ± 2.5
Dec astrometric offset (")	0.1 ± 3.6	-0.1 ± 3.6	-1.6 ± 3.3	1.7 ± 2.7
External flux scale error (%)	80	13	8	13
Internal flux scale error (%)	3	3	2	3
Completeness at 50 mJy (%)	10	22	54	3
Completeness at 100 mJy (%)	81	83	87	30
Completeness at 160 mJy (%)	96	95	95	56
Completeness at 0.5 Jy (%)	99	99	99	94
Completeness at 1 Jy (%)	100	100	100	97
$RMS (mJy beam^{-1})$	23 ± 7	15 ± 5	10 ± 5	28 ± 18
PSF major axis (")	196 ± 8	176 ± 8	140 ± 10	192 ± 14
PSF minor axis $(")$	157 ± 9	149 ± 8	131 ± 4	135 ± 2

Moving south of Dec–72°, the average RA offset deteriorates to $-4^{\prime\prime}\pm16^{\prime\prime}$, while the Dec offset remains reason-

able at -0.11 ± 3.16 . The RA is particularly distorted because the data have been averaged in the image plane over many hours, on the edge of the field-of-view, where the ionospheric corrections are poorest. This preferentially smears out the sources in hour angle, or RA, direction.

For 99% of sources, fitting errors are larger than the measured average astrometric offsets. Given the scatter in the measurements, and the small relative size of the worst-affected regions, we do not attempt to make a correction for these offsets. Given that we have corrected each snapshot, residual errors should not vary on scales smaller than the size of the primary beam. We advise users to use particular caution when crossmatching sources south of Dec –72° with other catalogues. Figure 15 shows the density distribution of the astrometric offsets, and Gaussian fits to the RA and Dec offsets.

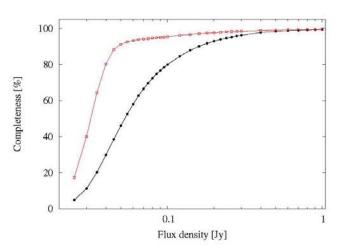


Figure 13. Estimated completeness of the GLEAM source catalogue as a function of $S_{200\mathrm{MHz}}$ in the entire survey area (black circles) and in the region used to measure the source counts (red squares; see Section 5.3).

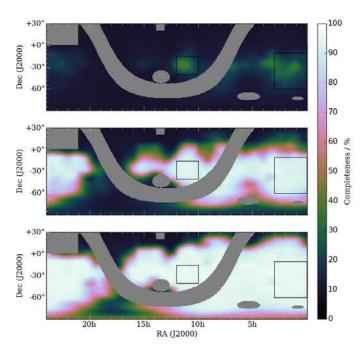


Figure 14. The top, middle and bottom panels show completeness maps at 25, 50 and 75 mJy, respectively, for the regions covered by the GLEAM catalogue of this paper. Areas which are excluded from the survey are shaded grey. The image projection used is Cartesian. The most sensitive areas of the survey in which the completeness was calculated in Figure 13 are outlined in black. FITS images of these completeness maps are available online.

4.6 Resolved sources

Only objects that can be described well by one or more elliptical Gaussians have been included in this catalogue; as described in Section 4, highly-resolved, diffuse sources are excluded. We fit 97,103 "resolved" sources, as defined by having a size $(a \times b)$ more than 10% greater than the local PSF. Our fitting procedure deals with multi-component sources

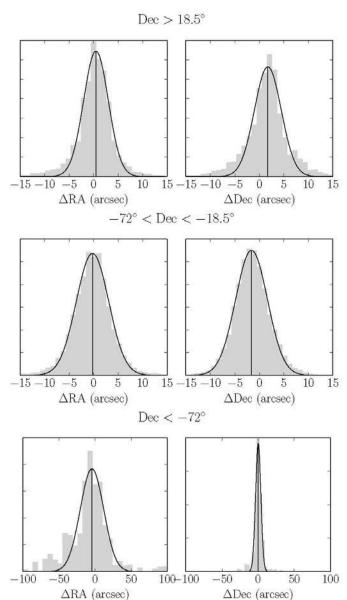


Figure 15. Histograms, weighted by source S/N, of astrometric offsets, for isolated compact GLEAM sources crossmatched with NVSS and SUMSS as described in Section 4.5.5. The black curves show Gaussian fits to each histogram. Solid vertical lines indicate the mean offsets. The top panel shows sources on the northern edge of the survey, $Dec \geq +18^{\circ}5$; the middle panel shows sources in the main area of the survey, $-72 \leq Dec < +18^{\circ}5$; and the lowest panel shows sources near the South Celestial Pole, $Dec < -72^{\circ}$. Note that the range on the abscissa changes for the lowest panel.

by fitting the components simultaneously, if their proximity warrants it. As a guide, 90,237 sources lie within 6' of another source. Diffuse, extended, or steep-spectrum structure visible only at the lowest frequencies will be missing from the catalogue, as all source selection is performed at 200 MHz, and characterisation is performed by extrapolating the shape of the source using the difference in frequency and the measured PSF.

5 PROPERTIES OF THE CATALOGUE

Here we compare the catalogue to other MWA data products, measure the spectral indices of its sources, analyse its source counts, and discuss the challenges associated with spectral model fitting with GLEAM data. The upcoming paper White et al. (in prep) calculates a two-point angular correlation function for the catalogue.

5.1 GLEAM, MWACS and the EoR field

We crossmatch GLEAM with the MWA Commissioning Survey at 180 MHz (MWACS; Hurley-Walker et al. 2014) and the deep 163 MHz catalogue of the "zeroth" Epoch of Reionisation (EoR) field centred at RA= $00^{\rm h}$, Dec= $-26^{\rm o}$ 7 by Offringa et al. (2016), the flux scale of which is largely set by MWACS. For sources with S>1 Jy at 180 MHz, we find that GLEAM has a flux scale $15\,\%(\pm 8\%)$ lower than both of these catalogues. This is likely due to residual primary beam errors in MWACS, which did not use as accurate a beam model, or fit a model to the residual flux errors as in Section 3.2. We note that the flux scale scatter shown in Figure 7 is also a 2% improvement on the flux scale scatter of MWACS, shown in Figure 11 of Hurley-Walker et al. (2014).

5.2 Spectral index distribution

The wide bandwidth of GLEAM allows an internal spectral index calculation; 98% of sources have a flux density measurement in every sub-band; 75% of sources have a nonnegative flux density measurement in every sub-band. For these 245,470 sources, we calculate α using a weighted least-squares approach.

While a flux density scale error of 8% is needed to reconcile GLEAM with other surveys (Section 4.5.1), an error of 2% gives more consistent results when fitting spectral indices using only the GLEAM data. Specifically, the median value of the reduced χ^2 statistic, which should be unity for data with well-estimated error bars, is biased low at high flux densities for a flux density scale error of 8%, while it is unity across the catalogue for a flux density scale error of 2%. We note that estimating the error in this way is incorrect for a single measurement, but is not problematic for such a large catalogue. This error increases to 3% for Dec $> 18^{\circ}.5$ and Dec $< -72^{\circ}.$

That the internal flux scale consistency is better than the external is likely due to a combination of factors: the narrow time-frame in which the observations were taken, minimising astrophysical variability; the consistency of using a single instrument with near-uniform spatial frequency sensitivity and calibration rather than a variety of instruments; the wide field-of-view and large amount of snapshot averaging acting to suppress any flux scale variations on small scales; and, most importantly, the scale being derived from identical sources, identical surveys, and from similar large-angular-scale polynomials (Section 3). Therefore, during the spectral energy distribution fitting process, we set the error on each flux density to be the quadrature sum of the AEGEAN fitting error, and a 2 % (3,%, for Dec > 18°5 and Dec < -72°) internal flux scale error.

Note that fitting a single power law spectrum ignores potentially interesting astrophysics, such as jet confinement

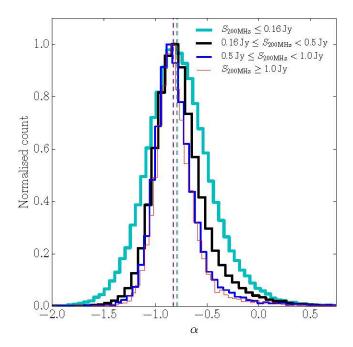


Figure 16. The spectral index distribution calculated using solely the catalogue described in this paper. The cyan line shows sources with $S_{200\text{MHz}} < 0.16\,\text{Jy}$, the black line shows sources with $0.16 \leq S_{200\text{MHz}} < 0.5\,\text{Jy}$, the blue line shows sources with $0.5 \leq S_{200\text{MHz}} < 1.0\,\text{Jy}$, and the red line shows sources with $S_{200\text{MHz}} > 1.0\,\text{Jy}$. The dashed vertical lines of the same colours show the median values for each flux density cut: -0.78, -0.79, -0.83, and -0.83, respectively.

or synchrotron self-absorption giving rise to sources with peaked or flattening spectra. The upcoming paper Callingham et al. (in prep) contains more extensive spectral modelling of such sources found in this catalogue. To exclude poorly-fit spectral indices from the catalogue presented in this work, and the spectral indices presented in this section, we require that $\chi^2 < 34.805$, as $P(\chi^2 \geq 34.805) > 99\%$ for 18 degrees of freedom (i.e. reduced $\chi^2 < 1.93$). This results in calculated spectral indices for 235,398 sources.

The resulting distributions of α for sources with $S_{200\text{MHz}} < 0.16\,\text{Jy}$ (122,959 sources), $0.16 \le S_{200\text{MHz}} < 0.5\,\text{Jy}$ (86,548 sources), $0.5 \le S_{200\text{MHz}} < 1.0\,\text{Jy}$ (20,606 sources), and $S_{200\text{MHz}} \ge 1.0\,\text{Jy}$ (12,723 sources), are shown in Figure 16. The median and semi-inter-quartile-range (SIQR) values of α for these flux density bins are -0.78 ± 0.20 , -0.79 ± 0.15 , -0.83 ± 0.12 , and -0.83 ± 0.11 , respectively.

Note that only the brightest two bins are substantially complete over the whole sky, as shown in Table 4. The errors on the flux densities in the faintest bin are of order 30 %, and all sources with negative flux density measurements in subbands are discarded, so the wide distribution and slightly flatter average spectral index of the faintest flux density bin should not be interpreted as a properties intrinsic to those sources.

These values are in very good agreement with other measurements at these frequencies; for instance, VLSSr and NVSS together measure $\alpha = -0.82$ with an SIQR of 0.11 (Lane et al. 2014), while in the MSSS verification field, Heald et al. (2015) use the LOFAR High Band Antenna

Table 5. Normalised Euclidean differential source counts from the GLEAM 200 MHz wideband catalogue.

0				
$S_{ m low}$	$S_{ m high}$	$S_{ m mid}$	Raw count	$S^{\frac{5}{2}} \frac{dN}{dS}$
Jу	Jу	Jy		$J_{\mathbf{y}}^{\frac{3}{2}}$
0.023	0.028	0.025	13	0.3118 ± 0.0173
0.028	0.035	0.031	302	10.12 ± 0.117
0.035	0.044	0.039	2361	110.6 ± 0.455
0.044	0.055	0.049	5060	331.3 ± 0.931
0.055	0.069	0.061	6200	567.3 ± 1.44
0.069	0.086	0.077	5673	725.4 ± 1.93
0.086	0.107	0.096	5105	912.3 ± 2.55
0.107	0.134	0.120	4295	1073 ± 3.27
0.134	0.168	0.150	3573	1247 ± 4.17
0.168	0.210	0.188	2991	1459 ± 5.34
0.210	0.262	0.234	2504	1707 ± 6.82
0.262	0.328	0.293	2013	1918 ± 8.55
0.328	0.410	0.366	1633	2174 ± 10.8
0.410	0.512	0.458	1342	2497 ± 13.6
0.512	0.640	0.572	1080	2808 ± 17.1
0.640	0.800	0.716	795	2889 ± 20.5
0.800	1.000	0.894	652	3311 ± 25.9
1.000	1.250	1.118	465	3301 ± 30.6
1.250	1.562	1.398	414	4107 ± 40.4
1.563	1.953	1.747	284	3937 ± 46.7
1.953	2.441	2.184	203	3933 ± 55.2
2.441	3.052	2.730	141	3818 ± 64.3
3.052	3.815	3.412	101	3822 ± 76.1
3.815	4.768	4.265	76	4019 ± 92.2
4.768	5.960	5.331	30	2217 ± 81
5.960	7.451	6.664	27	2789 ± 107
7.451	9.313	8.330	26	3753 ± 147
9.313	11.642	10.413	18	3631 ± 171
11.642	14.552	13.016	12	3383 ± 195
14.552	18.190	16.270	7	2758 ± 208
18.190	22.737	20.337	7	3855 ± 291
22.737	28.422	25.421	1	769.6 ± 154
28.422	35.527	31.776	1	1076 ± 215

(120–160 MHz) to measure a median α of -0.77. Mauch et al. (2003) measured a median spectral index of -0.83 across 843–1400 MHz by crossmatching SUMSS and NVSS. Cross-matching GLEAM with higher-resolution catalogues to investigate the low-frequency spectral behaviour of radio sources will be performed in the upcoming paper Line et al. (in prep).

5.3 Source counts

Using selected subsections of the survey ($0^h < RA < 3^h$ and $-60^\circ < Dec < -10^\circ$; $10^h < RA < 12^h$ and $-40^\circ < Dec < -15^\circ$) where the noise is low and uniform ($6.8 \pm 1.3 \, \mathrm{mJy \, beam^{-1}}$), and the completeness is 90% at 50 mJy, we calculate the normalised Euclidean differential source counts with respect to source integrated flux density. These are tabulated in Table 5.

We compare our source counts with those from the 7th Cambridge survey at 150 MHz (7C Hales et al. 2007), VLSSr at 74 MHz, and those by Intema et al. (2011), Ghosh et al. (2012), and Williams, Intema & Röttgering (2013), whose measurements with the GMRT at 153 MHz constrain the counts from 6–400 mJy. We apply a spectral power law scaling of $\alpha = -0.75$ to bring all surveys to a common frequency

of 150 MHz, and plot the surveys and the 150 MHz astrophysical source evolution and luminosity model of Massardi et al. (2010) in Figure 17.

There is excellent agreement between all the surveys and the Massardi et al. (2010) model for the range 0.5–3 Jy. Fainter and brighter than this, the surveys plotted disagree with the model; the bright end discrepancy could be due to the selection of fields without bright sources, which would otherwise increase the local RMS.

GLEAM is a relatively low-resolution survey, and confuses unrelated galaxies which are resolved by the other surveys. This may push many sources in faint bins into brighter bins, as they are confused together into larger, brighter sources by the PSF; this may account for the slight increase in observed counts around 100 mJy. The completeness limit is also clearly evident at the low flux density end; this region of sky is 90% complete at 50 mJy, and at this flux density the GLEAM counts drop dramatically. Franzen et al. (2016) correct for these effects and derive detailed source counts for the 600 square degrees imaged by Offringa et al. (2016). A future paper, Franzen et al (in prep) will perform the same analysis for the GLEAM survey, over the full bandwidth of 72–231 MHz.

5.4 Spectral fitting with GLEAM data

The spectral coverage of the GLEAM survey represents a divergence from past radio surveys, which mostly surveyed the radio sky at one frequency with a small bandwidth (e.g. 3C, MRC, SUMSS, NVSS, VLSSr etc). The twenty flux density measurements between 72 and 231 MHz reported in GLEAM provides an unparalleled data set for spectral analysis of radio sources. However, with this advancement in bandwidth come statistical challenges for spectral modelling and correctly combining data from many different telescopes.

For example, since self-calibration and multi-frequency synthesis were performed on the full 30.72 MHz observing bandwidth, before it is spilt into four narrower sub-bands of 7.68 MHz, the four derived subband flux densities within one band are highly correlated. Classical and sidelobe confusion also produce correlated noise that is dependent on the flux density of the source (Murdoch, Crawford & Jauncey 1973; Condon et al. 2012), with faint sources (<1 Jy) having a more significant degree of correlation across the entire MWA band, compared to bright sources. Additionally, due to the correction of the primary beam uncertainties, all of the flux density measurements are correlated. The combination of these effects generates a complex covariance function that should be taken into account when combining GLEAM data with that from other radio telescopes or surveys. If this correlation between the GLEAM data points are not taken into account, the remaining trends present in the GLEAM flux density measurements can dominate any physical relations. Most notably, the 8% flux scale error (Section 4.5.1) does not reduce by $\frac{1}{\sqrt{20}}$ when the twenty sub-band data points are combined (either in a fit or a weighted average), so the points should never be treated as independent data points when comparing to data outside the GLEAM survey.

While it is currently not possible to calculate the exact form of the covariance function that exists between the GLEAM flux density measurements, an approximation can

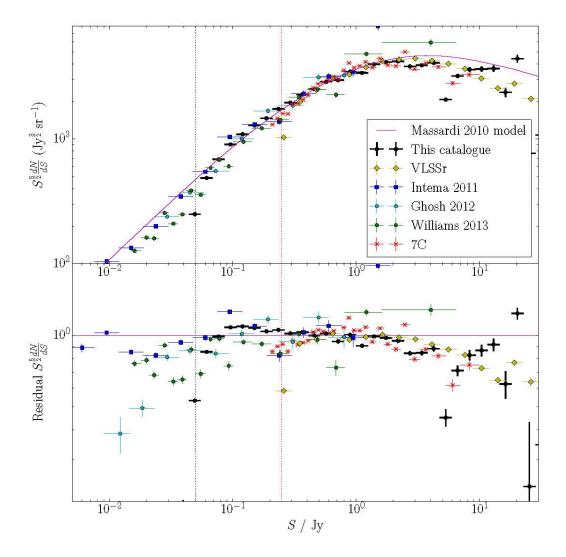


Figure 17. Normalised Euclidean source counts at 150 MHz for GLEAM (black circles), 7C (red crosses), VLSSr (yellow diamonds), and counts by Interna et al. (2011) (blue squares), Ghosh et al. (2012) (cyan pentagons), and Williams, Interna & Röttgering (2013) (green hexagons). The 150 MHz astrophysical source evolution and luminosity model of Massardi et al. (2010) is shown as a magenta line. The 90% completeness flux density of GLEAM in this region is plotted as a 50 mJy dotted line; the 7C completeness is plotted as a red dotted line. The top panel shows the source counts and the bottom panel shows the residuals after the Massardi et al. (2010) model was subtracted.

be made using Gaussian processes. For example, the correlation between the GLEAM flux density measurements is found to be accurately described by a blocked Matérn covariance function (Rasmussen & Williams 2006), which produces a stronger correlation between flux density measurements close in frequency space than further away. An example is provided in Figure 18, which demonstrates how the fit is incorrect if one assumes the GLEAM data points are independent.

6 CONCLUSIONS

We have performed a large-scale radio sky survey that we estimate is 99.5% complete at 1 Jy for the sky south of Dec $+30^{\circ}$, excluding the Galactic Plane and a small number of other regions. The estimated reliability is 99.97%. The

completeness varies over the sky, and we provide machine-readable maps of the completeness at different flux density levels to assist the catalogue user. Using a deep, wideband image formed across 170–231 MHz, we measured the flux density of 307,456 detected sources at 20 frequencies spanning 72–231 MHz. Source spectral indices derived across this bandwidth agree with results from other experiments using much wider frequency lever-arms.

The overall flux density scale accuracy is estimated to be 8% for 90% of the surveyed area. This survey is on the Baars et al. (1977) flux density scale; a future paper will examine the agreement between GLEAM and MSSS, unifying the low-frequency flux scales over the whole sky. This catalogue makes possible reliable flux calibration of other low-frequency southern sky experiments, such as the search for the Epoch of Reionisation by the MWA, PAPER, and eventually the low-frequency Square Kilometre Array.

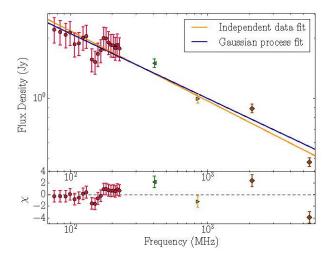


Figure 18. Spectral energy distribution of PKS B2059-786 highlighting the different model fits, assuming the flux density measurements are correlated or independent. Red circles, green leftward-facing triangle, yellow rightward-facing triangle, and brown diamonds represent data points from GLEAM, MRC, SUMSS, and the Australia Telescope Compact Array calibrator database, respectively. The power-law model fit assuming all the data points are independent is shown in dark orange. The model fit assuming the covariance matrix of the MWA flux density measurements is described by a blocked Matérn covariance function is shown in blue. The χ -values for the Gaussian process model fit to the data are displayed in the panel below the spectral energy distribution.

The low-frequency flux densities and spectral indices of hundreds of thousands of radio galaxies are now available, and cross-matching with higher-resolution data to disentangle confused pairs and reveal morphology should maximise the utility of our low-frequency flux density measurements. In this large dataset, there are also likely to be some interesting serendipitous detections. Future papers will search the survey for transient sources, reprocess the data with a weighting scheme which increases the impact of the short baselines of the array, thereby highlighting more diffuse structures, and publish the Galactic Plane and Magellanic Clouds.

In addition to the observations used to create the catalogue presented here, the sky has also been observed twice more during the second year of observations. Processing of these new data will reduce the overall noise of the survey, where not already dominated by sidelobe confusion, and improve the sky coverage over the first year of observations. More advanced processing techniques such as the application of direction-dependent gains, may increase the survey depth further.

All data (images and catalogue) are publicly available at the MWA Telescope website on the World Wide Web, http://www.mwatelescope.org.

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APPENDIX A: APPENDIX: LIST OF COLUMN HEADINGS IN THE CATALOGUE

Column numbers, names, and units for the catalogue. Source names follow International Astronomical Union naming conventions for co-ordinate-based naming. Background and RMS measurements were performed by BANE; PSF measurements were performed using in-house software as described in Section 3.4; the absolute error on the flux density scale was derived as described in Section 3.2; the fitted spectral index parameters were derived as described in Section 5.2; all other measurements were made using AEGEAN. AEGEAN incorporates a constrained fitting algorithm. Shape parameters with an error of -1 indicate that the reported value is equal to either the upper or lower fitting constraint. The columns with the subscript "wide" are derived from the 200 MHz wide-band image. Subsequently, the subscript indicates the central frequency of the measurement, in MHz. These sub-band measurements are made using the priorised fitting mode of Aegean, where the position and shape of the source are determined from the wide-band image, and only the flux density is fitted (see Section 4.3). Note therefore that some columns in the priorised fit do not have error bars, because they are linearly propagated from the wideband image values (e.g. major axis a).

Number	$_{ m Name}$	Unit	Description
1	Name	hh:mm:ss+dd:mm:ss	International Astronomical Union name
2	background_wide	$ m Jybeam^{-1}$	Background in wideband image
3	$local_rms_wide$	$ m Jybeam^{-1}$	Local RMS in wideband image
4	ra_str	${ m hh:mm:ss}$	Right ascension
5	$\operatorname{dec_str}$	dd:mm:ss	Declination
6	RAJ2000	0	Right ascension
7	$err_RAJ2000$	0	Error on RA
8	DEJ2000	0	Declination
9	$err_DEJ2000$	0	Error on Dec
10	peak_flux_wide	$ m Jybeam^{-1}$	Peak flux density in wideband image
11	err_peak_flux_wide	$\rm Jybeam^{-1}$	Fitting error on peak flux density in wideband image
12	int_flux_wide	Jу	Integrated flux density in wideband image
13	err_int_flux_wide	Jу	Error on integrated flux density in wideband image
14	a_wide	11	Major axis of source in wideband image
15	err_a_wide	11	Error on major axis of source in wideband image
16	b_wide	11	Minor axis of source in wideband image
17	err_b_wide	11	Error on minor axis of source in wideband image
18	pa∟wide	0	Postion angle of source in wideband image
19	err_pa_wide	0	Error on position angle of source in wideband image
20	residual_mean_wide	$ m Jybeam^{-1}$	Mean of residual after source fitting in wideband image
21	residuaLstd_wide	$\rm Jybeam^{-1}$	Standard deviation of residual after source fitting
22	err_abs_flux_pct	%	Absolute flux density scale error
23	psf_a_wide	//	Major axis of PSF at location of source in wideband image
24	psf_b_wide	11	Minor axis of PSF at location of source in wideband image
25	psf_pa_wide	0	Position angle of PSF at location of source in wideband image
26	background_076	$ m Jybeam^{-1}$	Background at 76 MHz
27	local_rms_076	$ m J_y^{ m beam^{-1}}$	Local RMS at 76 MHz
28	peak_flux_076	$ m J_y^{ m v}beam^{-1}$	Peak flux density at 76 MHz
29	err_peak_flux_076	$\rm Jybeam^{-1}$	Fitting error on peak flux density at 76 MHz
30	int_flux_076	Jy	Integrated flux density at 76 MHz
31	err_int_flux_076	Jу	Fitting error on integrated flux density at 76 MHz
32	a_076	","	Major axis of source at 76 MHz
33	b_076	11	Minor axis of source at 76 MHz
34	pa_076	0	Position angle of source at 76 MHz
35	residual_mean_076	$ m Jybeam^{-1}$	Mean of residual after source fitting at 76 MHz
36	residuaLstd_076	$\rm Jybeam^{-1}$	Standard deviation of residual after source fitting at 76 MHz
37	psf_a_076	<i>''</i>	Major axis of PSF at location of source at 76 MHz
38	psf_b_076	11	Minor axis of PSF at location of source at 76 MHz
39	psf_pa_076	0	Position angle of PSF at location of source at 76 MHz
40	background_084	$ m Jybeam^{-1}$	Background at 84 MHz
41	local_rms_084	$_{ m Jybeam}^{ m -1}$	Local RMS at 84 MHz
42	peak_flux_084	Jy beam ⁻¹	Peak flux density at 84 MHz
43	err_peak_flux_084	Jy beam ⁻¹	Fitting error on peak flux density at 84 MHz
43 44	int_flux_084	Ју веаш Ју	Integrated flux density at 84 MHz
$\frac{44}{45}$	err_int_flux_084	Jу	Fitting error on integrated flux density at 84 MHz
45 46	err_int_nux_054 a_084		Major axis of source at 84 MHz
	a_U04		iviajoi axis oi source at 04 ivi fiz
47	b_084	11	Minor axis of source at 84 MHz

49	residual_mean_084	$ m Jybeam^{-1}$	Mean of residual after source fitting at 84 MHz
50	residual_std_084	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 84 MHz
51	psf_a_084	11	Major axis of PSF at location of source at 84 MHz
52	psf_b_084	11	Minor axis of PSF at location of source at 84 MHz
53	psf_pa_084	0	Position angle of PSF at location of source at 84 MHz
54	background_092	$ m Jybeam^{-1}$	Background at 92 MHz
55	$local_{rms}$ _092	$_{ m Jybeam^{-1}}$	Local RMS at 92 MHz
56	peak_flux_092	$_{ m Jybeam^{-1}}$	Peak flux density at 92 MHz
57	err_peak_flux_092	$ m J_ybeam^{-1}$	Fitting error on peak flux density at 92 MHz
58	$\inf_{\text{flux}} 092$	Jу	Integrated flux density at 92 MHz
59	err_int_flux_092	$J_{\mathbf{y}}^{\mathbf{v}}$	Fitting error on integrated flux density at 92 MHz
60	a_092	"	Major axis of source at 92 MHz
61	$b_{-}092$	11	Minor axis of source at 92 MHz
62	pa_092	0	Position angle of source at 92 MHz
63	residual_mean_092	$ m Jybeam^{-1}$	Mean of residual after source fitting at 92 MHz
64	residual_std_092	$\rm Jybeam^{-1}$	Standard deviation of residual after source fitting at 92 MHz
65	psf_a_092	· //	Major axis of PSF at location of source at 92 MHz
66	psf_b_{092}	//	Minor axis of PSF at location of source at 92 MHz
67	psf_pa_092	0	Position angle of PSF at location of source at 92 MHz
68	background_099	$ m Jybeam^{-1}$	Background at 99 MHz
69	$local_{rms}$ 099	$ m Jybeam^{-1}$	Local RMS at 99 MHz
70	peak_flux_099	$ m Jybeam^{-1}$	Peak flux density at 99 MHz
71	err_peak_flux_099	$\rm Jybeam^{-1}$	Fitting error on peak flux density at 99 MHz
72	int_flux_099	Jу	Integrated flux density at 99 MHz
73	$err_int_flux_099$	$J_{\mathbf{y}}$	Fitting error on integrated flux density at 99 MHz
74	a_099	//	Major axis of source at 99 MHz
75	b_099	//	Minor axis of source at 99 MHz
76	pa_099	0	Position angle of source at 99 MHz
77	residual_mean_099	$ m Jybeam^{-1}$	Mean of residual after source fitting at 99 MHz
78	$residuaLstd_099$	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 99 MHz
79	psf_a_099	11	Major axis of PSF at location of source at 99 MHz
80	psf_b_{099}	11	Minor axis of PSF at location of source at 99 MHz
81	psf_pa_099	0	Position angle of PSF at location of source at $99\mathrm{MHz}$
82	background_107	$ m Jybeam^{-1}$	Background at $107\mathrm{MHz}$
83	$locaLrms_107$	$ m Jybeam^{-1}$	Local RMS at $107\mathrm{MHz}$
84	peak_flux_107	$ m Jybeam^{-1}$	Peak flux density at 107 MHz
85	err_peak_flux_107	$ m Jybeam^{-1}$	Fitting error on peak flux density at 107 MHz
86	int_flux_107	Jу	Integrated flux density at 107 MHz
87	$err_int_flux_107$	$_{ m Jy}$	Fitting error on integrated flux density at 107 MHz
88	a_107	//	Major axis of source at 107 MHz
89	$ m b_107$	11	Minor axis of source at 107 MHz
90	pa_107	0	Position angle of source at $107\mathrm{MHz}$
91	residual_mean_107	$ m Jybeam^{-1}$	Mean of residual after source fitting at $107\mathrm{MHz}$
92	residuaLstd_107	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 107 MHz
93	psf_a_107	<i>''</i>	Major axis of PSF at location of source at 107 MHz
94	psf_b_{107}	"	Minor axis of PSF at location of source at 107 MHz
95	psf_pa_107	0	Position angle of PSF at location of source at 107 MHz
96	background_115	$Jy beam^{-1}$	Background at 115 MHz
97	$local_{rms_115}$	$\rm Jybeam^{-1}$	Local RMS at $115\mathrm{MHz}$
98	peak_flux_115	$\rm Jybeam^{-1}$	Peak flux density at 115 MHz
99	err_peak_flux_115	${ m Jybeam^{-1}}$	Fitting error on peak flux density at 115 MHz
100	int_flux_115	$_{ m Jy}$	Integrated flux density at 115 MHz
101	err_int_flux_115	Jу	Fitting error on integrated flux density at 115 MHz
102	a_115	// //	Major axis of source at 115 MHz
103	b_115		Minor axis of source at 115 MHz
104	pa_115		Position angle of source at 115 MHz
105	residual_mean_115	$Jy beam^{-1}$	Mean of residual after source fitting at 115 MHz
106	residuaLstd_115	$_{''}^{Jy \mathrm{beam}^{-1}}$	Standard deviation of residual after source fitting at 115 MHz
107	psf_a_115	"	Major axis of PSF at location of source at 115 MHz
108	psf_b_115	0	Minor axis of PSF at location of source at 115 MHz
109	psf_pa_115	0251	Position angle of PSF at location of source at 115 MHz

		888 M M	
110	background_122	$ m Jybeam^{-1}$	Background at $122\mathrm{MHz}$
111	$local_rms_122$	$ m Jybeam^{-1}$	Local RMS at $122\mathrm{MHz}$
112	peak_flux_122	$ m Jybeam^{-1}$	Peak flux density at 122 MHz
113	err_peak_flux_122	$\rm Jybeam^{-1}$	Fitting error on peak flux density at 122 MHz
114	int_flux_122	$_{ m Jy}$	Integrated flux density at 122 MHz
115	$err_int_flux_122$	Jу	Fitting error on integrated flux density at 122 MHz
116	a_122	,,	Major axis of source at 122 MHz
117	$b_{-}122$	11	Minor axis of source at 122 MHz
118	pa_122	0	Position angle of source at 122 MHz
119	residual_mean_122	$\rm Jybeam^{-1}$	Mean of residual after source fitting at 122 MHz
120	residual std 122	$_{ m Jybeam}^{-1}$	Standard deviation of residual after source fitting at 122 MHz
121	psf_a_122	Jy beam	Major axis of PSF at location of source at 122 MHz
$\frac{121}{122}$	psf_b_122	"	Minor axis of PSF at location of source at 122 MHz
$\frac{122}{123}$	psf_pa_122	0	Position angle of PSF at location of source at 122 MHz
$\frac{123}{124}$	background_130	$ m Jybeam^{-1}$	Background at 130 MHz
	=		
125	local_rms_130	Jy beam ⁻¹	Local RMS at 130 MHz
126	peak_flux_130	$Jy beam^{-1}$	Peak flux density at 130 MHz
127	err_peak_flux_130	$ m Jybeam^{-1}$	Fitting error on peak flux density at 130 MHz
128	int_flux_130	$_{ m Jy}$	Integrated flux density at 130 MHz
129	err_int_flux_130	Jy ''	Fitting error on integrated flux density at 130 MHz
130	a_130	"	Major axis of source at 130 MHz
131	b_130	0	Minor axis of source at 130 MHz
132	pa_130		Position angle of source at 130 MHz
133	residual_mean_130	$Jy beam^{-1}$	Mean of residual after source fitting at 130 MHz
134	$residuaLstd_130$	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at $130\mathrm{MHz}$
135	psf_a_130	"	Major axis of PSF at location of source at 130 MHz
136	psf_b_130	11	Minor axis of PSF at location of source at 130 MHz
137	psf_pa_130	0	Position angle of PSF at location of source at 130 MHz
138	background_143	$\rm Jybeam^{-1}$	Background at $143\mathrm{MHz}$
139	$local_{rms_143}$	$ m Jybeam^{-1}$	${\rm Local~RMS~at~143MHz}$
140	peak_flux_143	$ m Jybeam^{-1}$	Peak flux density at 143 MHz
141	err_peak_flux_143	$ m Jybeam^{-1}$	Fitting error on peak flux density at 143 MHz
142	int_flux_143	Jу	Integrated flux density at 143 MHz
143	$err_int_flux_143$	$_{ m Jy}$	Fitting error on integrated flux density at 143 MHz
144	a_143	"	Major axis of source at 143 MHz
145	$b_{-}143$	11	Minor axis of source at 143 MHz
146	pa_143	0	Position angle of source at 143 MHz
147	residual_mean_143	$ m Jybeam^{-1}$	Mean of residual after source fitting at 143 MHz
148	$residual_std_143$	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 143 MHz
149	psf_a_143	11	Major axis of PSF at location of source at 143 MHz
150	psf_b_143	SH.	Minor axis of PSF at location of source at 143 MHz
151	psf_pa_143	O	Position angle of PSF at location of source at 143 MHz
152	background_151	$ m Jybeam^{-1}$	Background at 151 MHz
153	$local_{rms_151}$	$\rm Jybeam^{-1}$	Local RMS at 151 MHz
154	peak_flux_151	$Jy beam^{-1}$	Peak flux density at 151 MHz
155	err_peak_flux_151	$J_{\rm y}$ ${ m beam}^{-1}$	Fitting error on peak flux density at 151 MHz
156	int_flux_151	Jy	Integrated flux density at 151 MHz
157	err_int_flux_151	Jу	Fitting error on integrated flux density at 151 MHz
158	a_151	"	Major axis of source at 151 MHz
159	b_151	SH.	Minor axis of source at 151 MHz
160	pa_151	O	Position angle of source at 151 MHz
161	residual_mean_151	$ m Jybeam^{-1}$	Mean of residual after source fitting at 151 MHz
162	residuaLstd_151	$_{ m Jybeam}^{ m -1}$	Standard deviation of residual after source fitting at 151 MHz
163	psf_a_151	Jy beam	Major axis of PSF at location of source at 151 MHz
164	psf_b_151	***	Minor axis of PSF at location of source at 151 MHz
165	psf_pa_151	0	Position angle of PSF at location of source at 151 MHz
166	background_158	$\mathrm{Jy}\mathrm{beam}^{-1}$	Background at 158 MHz
167	local_rms_158	Jy beam ⁻¹	Local RMS at 158 MHz
168	peak_flux_158	Jy beam ⁻¹	Peak flux density at 158 MHz
169	err_peak_flux_158	Jy beam $^{-1}$	Fitting error on peak flux density at 158 MHz
108	orr_poak_nux_100	ay beam	Freeing error on peak mux density at 199141112

	8	7022	20 0 00 0 0000000
170	int_flux_158	$_{ m Jy}$	Integrated flux density at 158 MHz
171	err_int_flux_158	Jy	Fitting error on integrated flux density at 158 MHz
172	a_158	<i>''</i>	Major axis of source at 158 MHz
173	b_158	// o	Minor axis of source at 158 MHz
174	pa_158		Position angle of source at 158 MHz
175	residuaLmean_158	$\rm Jybeam^{-1}$	Mean of residual after source fitting at 158 MHz
176	$residuaLstd_158$	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 158 MHz
177	psf_a_158	<i>II</i>	Major axis of PSF at location of source at 158 MHz
178	psf_b_{158}	"	Minor axis of PSF at location of source at 158 MHz
179	psf_pa_158	0	Position angle of PSF at location of source at 158 MHz
180	background_166	$\rm Jybeam^{-1}$	Background at 166 MHz
181	$local_{rms_166}$	$\rm Jybeam^{-1}$	Local RMS at $166\mathrm{MHz}$
182	peak_flux_166	$\rm Jybeam^{-1}$	Peak flux density at 166 MHz
183	err_peak_flux_166	$ m Jybeam^{-1}$	Fitting error on peak flux density at 166 MHz
184	int_flux_166	$_{ m Jy}$	Integrated flux density at 166 MHz
185	$err_int_flux_166$	${ m Jy}$	Fitting error on integrated flux density at 166 MHz
186	a_166	"	Major axis of source at 166 MHz
187	b_166	,,,	Minor axis of source at 166 MHz
188	pa_166		Position angle of source at 166 MHz
189	residual_mean_166	$Jy beam^{-1}$	Mean of residual after source fitting at 166 MHz
190	residuaLstd_166	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 166 MHz
191	psf_a_166	"	Major axis of PSF at location of source at 166 MHz
192	psf_b_166	0	Minor axis of PSF at location of source at 166 MHz
193	psf_pa_166		Position angle of PSF at location of source at 166 MHz
194	background_174	$Jy beam^{-1}$	Background at 174 MHz
195	$local_{rms_174}$	$\rm Jybeam^{-1}$	Local RMS at 174 MHz
196	peak_flux_174	$\rm Jybeam^{-1}$	Peak flux density at 174 MHz
197	err_peak_flux_174	$\rm Jybeam^{-1}$	Fitting error on peak flux density at 174 MHz
198	int_flux_174	$_{ m Jy}$	Integrated flux density at 174 MHz
199	$err_int_flux_174$	Jy	Fitting error on integrated flux density at 174 MHz
200	a_174	"	Major axis of source at 174 MHz
201	b_174	0	Minor axis of source at 174 MHz
202	pa_174		Position angle of source at 174 MHz
203	residual_mean_174	$Jy beam^{-1}$	Mean of residual after source fitting at 174 MHz
204	residuaLstd_174	$_{\prime\prime}^{\rm Jybeam^{-1}}$	Standard deviation of residual after source fitting at 174 MHz
205	psf_a_174	"	Major axis of PSF at location of source at 174MHz
206	psf_b_174	0	Minor axis of PSF at location of source at 174MHz
207	psf_pa_174		Position angle of PSF at location of source at 174 MHz
208	background_181	$Jy beam^{-1}$	Background at 181 MHz
209	locaLrms_181	$Jy beam^{-1}$	Local RMS at 181 MHz
210	peak_flux_181	$Jy beam^{-1}$	Peak flux density at 181 MHz
211	err_peak_flux_181	$_{ m Jybeam^{-1}}$	Fitting error on peak flux density at 181 MHz
212	int_flux_181	$_{ m Jy}$	Integrated flux density at 181 MHz
213	err_int_flux_181	$_{\prime\prime}^{ m Jy}$	Fitting error on integrated flux density at 181 MHz
214	a_181	11	Major axis of source at 181 MHz
$\frac{215}{216}$	b_181	0	Minor axis of source at 181 MHz
	pa_181 residual_mean_181	$\rm Jybeam^{-1}$	Position angle of source at 181 MHz Mean of residual after source fitting at 181 MHz
$\frac{217}{218}$	residual_mean_181 residual_std_181	Jy beam $^{-1}$	Standard deviation of residual after source fitting at 181 MHz
$\frac{218}{219}$	residualstd_181 psf_a_181	Jy beam -	Major axis of PSF at location of source at 181 MHz
$\frac{219}{220}$		//	Minor axis of PSF at location of source at 181 MHz Minor axis of PSF at location of source at 181 MHz
$\frac{220}{221}$	psf_b_181	0	Position angle of PSF at location of source at 181 MHz
	psf_pa_181	T., b1	
222	background_189	$Jy beam^{-1}$	Background at 189 MHz
223	local_rms_189	$Jy beam^{-1}$	Local RMS at 189 MHz
224	peak_flux_189	$ \text{Jy beam}^{-1} $	Peak flux density at 189 MHz
225	err_peak_flux_189	$_{ m Jybeam^{-1}}$	Fitting error on peak flux density at 189 MHz
226	int_flux_189	Ју 1	Integrated flux density at 189 MHz
227	err_int_flux_189	$_{\prime\prime}^{ m Jy}$	Fitting error on integrated flux density at 189 MHz
$\frac{228}{229}$	a_189 b_189	//	Major axis of source at 189 MHz Minor axis of source at 189 MHz
230		0	Position angle of source at 189 MHz
∠ə∪	pa_189	1 Der 197	LOSITION WIGHE OF SOURCE OF TOO MILE

231	residual_mean_189	$\rm Jybeam^{-1}$	Mean of residual after source fitting at 189 MHz
232	residuaLstd_189	Jy beam ⁻¹	Standard deviation of residual after source fitting at 189 MHz
$\frac{232}{233}$	psf_a_189	Jy beam	Major axis of PSF at location of source at 189 MHz
234	psf_b_189	//	Minor axis of PSF at location of source at 189 MHz
234 235	psf_pa_189	0	Position angle of PSF at location of source at 189 MHz
236	background_197	$ m Jybeam^{-1}$	
	=		Background at 197 MHz
237	local_rms_197	$Jy beam^{-1}$	Local RMS at 197MHz
238	peak_flux_197	$Jy beam^{-1}$	Peak flux density at 197 MHz
239	err_peak_flux_197	$ m Jybeam^{-1}$	Fitting error on peak flux density at 197 MHz
240	int_flux_197	$_{ m Jy}$	Integrated flux density at 197 MHz
241	err_int_flux_197	Jy ″	Fitting error on integrated flux density at 197 MHz
242	a_197	"	Major axis of source at 197 MHz
243	b_197	0	Minor axis of source at 197 MHz
244	pa_197		Position angle of source at 197 MHz
245	residual_mean_197	$Jy beam^{-1}$	Mean of residual after source fitting at 197MHz
246	residuaLstd_197	$_{\prime\prime}^{\prime\prime}$ Jy beam ⁻¹	Standard deviation of residual after source fitting at 197MHz
247	psf_a_197	"	Major axis of PSF at location of source at 197 MHz
248	psf_b_197	0	Minor axis of PSF at location of source at 197MHz
249	psf_pa_197		Position angle of PSF at location of source at 197 MHz
250	background_204	$Jy beam^{-1}$	Background at 204 MHz
251	local_rms_204	$Jy beam^{-1}$	Local RMS at 204 MHz
252	peak_flux_204	Jy beam^{-1}	Peak flux density at 204 MHz
253	err_peak_flux_204	$_{ m Jybeam^{-1}}$	Fitting error on peak flux density at 204 MHz
254	int_flux_204	$\mathrm{J}\mathrm{y}$	Integrated flux density at 204 MHz
255	$err_int_flux_204$	$_{\prime\prime}^{ m Jy}$	Fitting error on integrated flux density at 204 MHz
256	a_204	"	Major axis of source at 204 MHz
257	b_204	0	Minor axis of source at 204 MHz
258	pa_204		Position angle of source at 204 MHz
259	residual_mean_204	$\rm Jybeam^{-1}$	Mean of residual after source fitting at 204 MHz
260	$residual_std_204$	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 204 MHz
261	psf_a_204	"	Major axis of PSF at location of source at 204 MHz
262	psf_b_{204}	0	Minor axis of PSF at location of source at 204 MHz
263	psf_pa_204		Position angle of PSF at location of source at 204 MHz
264	background_212	Jy beam^{-1}	Background at 212 MHz
265	$locaLrms_212$	$\rm Jybeam^{-1}$	Local RMS at 212 MHz
266	peak_flux_212	$\rm Jybeam^{-1}$	Peak flux density at 212 MHz
267	$err_peak_flux_212$	$ m Jybeam^{-1}$	Fitting error on peak flux density at 212 MHz
268	int_flux_212	${ m Jy}$	Integrated flux density at 212 MHz
269	$err_int_flux_212$	$_{ m Jy}$	Fitting error on integrated flux density at 212 MHz
270	a_212	"	Major axis of source at 212 MHz
271	b_2112	"	Minor axis of source at 212 MHz
272	pa_212	0	Position angle of source at 212 MHz
273	residual_mean_212	$\rm Jybeam^{-1}$	Mean of residual after source fitting at $212\mathrm{MHz}$
274	$residuaLstd_212$	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 212 MHz
275	psf_a_212	//	Major axis of PSF at location of source at 212 MHz
276	psf_b_212	"	Minor axis of PSF at location of source at 212 MHz
277	psf_pa_212	0	Position angle of PSF at location of source at 212 MHz
278	background_220	$\rm Jybeam^{-1}$	Background at 220 MHz
279	$locaLrms_220$	$\rm Jybeam^{-1}$	Local RMS at $220\mathrm{MHz}$
280	$peak_flux_220$	$\rm Jybeam^{-1}$	Peak flux density at 220 MHz
281	$err_peak_flux_220$	$ m Jybeam^{-1}$	Fitting error on peak flux density at $220\mathrm{MHz}$
282	int_flux_220	$_{ m Jy}$	Integrated flux density at 220 MHz
283	$err_int_flux_220$	Jy	Fitting error on integrated flux density at 220 MHz
284	a_220	//	Major axis of source at 220 MHz
285	$b_{-}220$	"	Minor axis of source at 220 MHz
286	pa_220	0	Position angle of source at 220 MHz
287	$residual_mean_220$	$\rm Jybeam^{-1}$	Mean of residual after source fitting at $220\mathrm{MHz}$
288	$residual_std_220$	$\rm Jybeam^{-1}$	Standard deviation of residual after source fitting at $220\mathrm{MHz}$
289	psf_a_220	//	Major axis of PSF at location of source at $220\mathrm{MHz}$
290	psf_b_{220}	"	Minor axis of PSF at location of source at 220 MHz
291	psf_pa_220	0	Position angle of PSF at location of source at 220 MHz

30 Hurley-Walker et al.

292	background_227	$ m Jybeam^{-1}$	Background at 227 MHz
293	$local_rms_227$	$ m Jybeam^{-1}$	Local RMS at 227 MHz
294	peak_flux_227	$ m Jybeam^{-1}$	Peak flux density at 227 MHz
295	err_peak_flux_227	$ m Jybeam^{-1}$	Fitting error on peak flux density at 227 MHz
296	int_flux_227	$_{ m Jy}$	Integrated flux density at 227 MHz
297	err_int_flux_227	Jу	Fitting error on integrated flux density at 227 MHz
298	a_227	11	Major axis of source at 227 MHz
299	$b_{-}227$	11	Minor axis of source at 227 MHz
300	pa_227	0	Position angle of source at 227 MHz
301	residual_mean_227	$ m Jybeam^{-1}$	Mean of residual after source fitting at 227 MHz
302	residuaLstd_227	$ m Jybeam^{-1}$	Standard deviation of residual after source fitting at 227 MHz
303	psf_a_227	11	Major axis of PSF at location of source at 227 MHz
304	psf_b_{227}	11	Minor axis of PSF at location of source at 227 MHz
305	psf_pa_227	0	Position angle of PSF at location of source at 227 MHz
306	$int_flux_fit_200$	Jу	Fitted flux density at 200 MHz
307	err_int_flux_fit_200	Jу	Error on fitted flux density at 200 MHz
308	$_{ m alpha}$	-	Fitted spectral index assuming a power-law SED
309	${ m err_alpha}$	(<u>—</u>)	Error on fitted spectral index
310	reduced_chi2	72 <u>—</u> 1	Reduced χ^2 statistic for power-law SED fit